

# The Logicality of Language: Contextualism vs. Semantic Minimalism\*

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## 1 Abstract

2 The Logicality of Language is the hypothesis that the language system has access to a  
3 ‘natural’ logic that can identify and filter out as unacceptable expressions that have trivial  
4 meanings—i.e., that are true/false in all possible worlds or situations in which they are  
5 defined. This hypothesis helps explain otherwise puzzling patterns concerning the distribution  
6 of various functional terms and phrases. Despite its promise, Logicality vastly over-generates  
7 unacceptability assignments. Most solutions to this problem rest on specific stipulations about  
8 the properties of logical form—roughly, the level of linguistic representation which feeds into  
9 the interpretation procedures—and have substantial implications for traditional philosophical  
10 disputes about the nature of language. Specifically, Contextualism and Semantic Minimalism,  
11 construed as competing hypothesis about the nature and degree of context-sensitivity at the  
12 level of logical form, suggest different approaches to the over-generation problem. In this  
13 paper, I explore the implications of pairing Logicality with various forms of Contextualism  
14 and Semantic Minimalism. I argue that, to adequately solve the over-generation problem,  
15 Logicality should be implemented in a constrained Contextualist framework.

16 **Keywords:** Logicality, Contextualism, Semantic Minimalism, semantics vs. pragmatics,  
17 natural logic, modularity, grammaticality, triviality, quantifiers **Words:** 12,453

## 18 1 Introduction

19 According to the ‘generative’ tradition in linguistics and philosophy, the human language  
20 system consists of a (recursive) structure building device and a compositional interpretation  
21 procedure which together determine the class of expressions that belong to a natural language  
22 such as English. The ‘Logicality of language’ is the hypothesis that the language system also  
23 includes a kind of ‘natural logic’ that can perform certain unconscious, automatic inferences

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1 (Gajewski 2002, 2008a, Fox 2000, Fox & Hackl 2007, Chierchia 2013, Abrusán 2014, Del Pinal  
 2 2019). On this view, the language system can identify and filter-out as strictly unacceptable  
 3 expressions that, although syntactically well-formed, are uninformative in the sense of being  
 4 ‘trivial’, i.e., are either uniformly true or uniformly false in every world or situation in which  
 5 they are defined. This hypothesis is motivated by acceptability patterns which capture the  
 6 distribution of various functional terms and phrases, such as the patterns for quantifiers  
 7 in (1)-(3), where the sentences in (a)-(b) illustrate an instance of the generalization in (c).  
 8 The accounts cited in each case show that the target generalization can be derived from (i)  
 9 reasonable hypotheses about the semantics of functional terms, and (ii) the assumption that  
 10 expressions which are logically/trivially true or false are marked as strictly unacceptable.

11 (1) Connected *but*-exceptives: (von Fintel 1993)

- 12 a. \*Some student/s but John passed the exam. [trivially false]  
 13 b. No student but John passed the exam.  
 14 c. **Generalization:** Only universal (positive/negative) quantifiers can host *but*-  
 15 exceptive phrases in their restrictors.

16 (2) *There*-existentials: (Barwise & Cooper 1981)

- 17 a. \*There is every red apple in the garden. [trivially true]  
 18 b. There are some red apples in the garden.  
 19 c. **Generalization:** Only weak determiners (e.g., *a, some, three, exactly n, many*)  
 20 can occur in *there*-existential sentences.

21 (3) Polarity sensitive items: (Chierchia 2013)

- 22 a. \*Mary has any marbles. [trivially false]  
 23 b. Mary doesn’t have any marbles.  
 24 c. **Generalization:** Negative polarity items such as *any* are only licensed in down-  
 25 ward entailing environments.

26 The reason why each of the marked expressions is trivial is opaque to pre-theoretical reflection.  
 27 Indeed, the accounts which derive the target generalizations include some of the most elegant  
 28 and sophisticated analyses in formal semantics. Proponents of Logicality have uncovered many  
 29 systematic patterns involving expressions which (i) are arguably syntactically well-formed,  
 30 (ii) can be shown to be trivial, and (iii) are judged as strictly unacceptable. Triviality-  
 31 based analyses shed light on the distribution of quantifiers, attitude verbs, numerals and  
 32 exhaustification operators, among other functional terms and phrases.<sup>1</sup>

33 Despite its considerable empirical payoffs, the Logicality of language hypothesis faces an  
 34 important challenge, recognized from the outset by its main proponents (Gajewski 2002, Fox &

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1 To be clear, I’m not assuming that, for each of the acceptability patterns in (1)-(3), the corresponding generalizations are final or without exceptions in their current formulation. In §2, we will discuss refinements of the patterns with connected *but*-exceptive phrases. Keenan (2003) presents an important refinement of Barwise and Cooper’s original account of the distribution of determiner phrases in *there*-existential sentences, and Chierchia (2013) discusses various apparent and real counter-examples to the generalization concerning the distribution of negative polarity items in (3c). These kinds of refinements still appeal to the idea that there is a class of expressions which are unacceptable due to their underlying triviality, and in most cases they don’t directly affect the core issue of how to implement Logicality, which is the focus of this paper.

1 Hackl 2007, Chierchia 2013, Abrusán 2014). If the language system includes a computational  
 2 system which automatically identifies and filters out as strictly unacceptable expressions which  
 3 are logically trivial, why are many of the intuitively most obvious examples of tautologies and  
 4 contradictions, such as those in (4), strictly acceptable (even if some contexts a bit odd)?

- 5 (4) Superficial tautologies and contradictions:  
 6 a. If John is a cheater, then John is a cheater.  
 7 b. It is raining and it is not raining.

8 Why does the ‘natural logic’ of language identify as trivially false and hence unacceptable  
 9 expressions like (1a) and (3a) but not the intuitively simpler contradiction in (4b)? Similarly  
 10 why does the language system filter out as unacceptable trivially true expressions like (2a)  
 11 but not superficial tautologies like (4a)? Proponents of Logicality have to find a principled  
 12 way of separating the class of trivial expressions which feel ‘ungrammatical’ from the class  
 13 of (superficial) trivialities which are strictly acceptable. Call this the ‘over-generation of  
 14 unacceptability’ problem.

15 The project of finding an implementation of Logicality that addresses the over-generation  
 16 problem is of considerable theoretical interest. As we will see, solutions to this problem rest on  
 17 substantive assumptions about the nature of logical form, i.e., about the level of representation  
 18 that is the input to the interpretation function or procedures. For this reason, the project of  
 19 finding a viable implementation of Logicality interacts in meaningful ways with traditional  
 20 philosophical debates between Contextualists and Semantic Minimalists, which are centered  
 21 on disputes about the nature of logical form. According to Contextualists, most/all terms  
 22 can be represented as (or can be modified by) characters whose open parameters have to  
 23 be fixed by context before they can determine an extension given a world/situation (e.g.,  
 24 Carston 2002, Stanley 2007, Recanati 2010, Rothschild & Segal 2009). Minimalists hold, in  
 25 contrast, that while natural languages have a class of genuinely context-sensitive terms (incl.,  
 26 demonstratives and indexicals), most open-class terms do not have covert context-sensitive  
 27 parameters (e.g., Borg 2004, Cappelen & Lepore 2005). Logicality can be combined with a  
 28 Contextualist or a Minimalist conception of logical form—and as we will see, each approach  
 29 issues in a range of unique yet reasonably promising solutions to the over-generation problem.

30 To begin to appreciate what is distinctive about Contextualism and Semantic Minimalism,  
 31 taken as solutions to the over-generation problem, consider how each approach may take  
 32 advantage of a key difference between the ungrammatical trivialities in (1a)-(3a) and the  
 33 superficial, acceptable trivialities in (4). This difference depends on distinguishing between  
 34 ‘functional’ or ‘logical’ terms (e.g., *all*, *few*, *any*, *and*, *but*) and ‘content’ or ‘referential’ terms  
 35 (e.g., *cheater*, *John*, *rain*, *love*). As a first pass (see §6), we can say that functional terms are  
 36 typically assigned high types, their semantic effect is inference-based, and they make up the  
 37 ‘closed’ class vocabulary which shows limited variation within and across languages. Content  
 38 terms, in contrast, are typically assigned lower types which correspond to entities, events,  
 39 sets of or relations between members of those basic types, and they make up the ‘open’ class  
 40 vocabulary which can change in relatively unconstrained ways within and across languages.  
 41 Crucially, in cases like (1a)-(3a) the trivialities depend only on the configuration of functional  
 42 or logical terms (see §2-§3 below and Gajewski 2002, 2009, Chierchia 2013, Abrusán 2014,  
 43 Del Pinal 2019). Yet in cases like (4), their status as trivial also depends on the identity of  
 44 each token of their content terms. Building on that distinction between strictly unacceptable

1 and acceptable, ‘superficial’ trivialities, consider a Contextualist and a Minimalist friendly  
2 proposal for tackling the over-generation problem. Let us begin with the former:

3 **Logicity + Modulation.** The meaning of all content terms (incl., variables which are  
4 assigned values of the same types) can be modulated by context-sensitive operators  
5 present in logical form. Expressions whose triviality depends on the co-identity of  
6 content terms are not seen as trivial because each token can be modulated in slightly  
7 different ways in its local context, thereby avoiding triviality. Crucially, modulation  
8 over content terms doesn’t help rescue expressions whose triviality depends solely on  
9 the configuration of their logical/functional terms. For logical terms, unlike content  
10 ones, can’t be modulated.

11 For example, (1a) is marked as ungrammatical because modulating the meaning of terms like  
12 *student*, *pass* and *exam* doesn’t ‘rescue’ the expression from triviality. In contrast, (4a) is not  
13 marked as ungrammatical because modulating each token of *cheater* in slightly different ways  
14 rescues the expression from triviality (see §3.1). Crucially, this approach to the over-generation  
15 problem is not available to Semantic Minimalists—for it appeals to (semantic) modulation  
16 operators over all content terms and variables of any ‘referential’ types—but other promising  
17 approaches are compatible with their core commitments. Consider the following ‘syntactic’  
18 approach:

19 **Logicity + Syntactic skeletons.** There is a level of representation which is sensitive to  
20 logical/functional terms, but is blind to the specific semantic value and identity of  
21 content terms. Grammatically-relevant triviality is determined at this level. Accord-  
22 ingly, expressions whose triviality depends only on the configuration of logical terms  
23 can be proven to be trivial, whereas those whose triviality also depends on seeing  
24 the co-identity of their content terms are not seen as trivial. At the (later) stage of  
25 processing in which the meaning/identity of content terms is fully represented, there  
26 is no rampant (linguistically triggered) context-sensitivity.

27 From this perspective, (1a) is marked as ungrammatical because we can prove that it is trivial  
28 even if we do not know what specific semantic value each of its content terms ultimately  
29 receives. In contrast, (4a) is not marked as strictly ungrammatical because, to determine  
30 if it is trivial, we need to know whether each token of *cheater* receives the same semantic  
31 value—and this is not something that can be determined at the level of syntactic representation  
32 in which grammatically relevant trivialities are computed (see §3.2). This syntactic approach  
33 was adopted by early proponents of Logicity to tackle the over-generation problem (e.g.,  
34 Gajewski 2002, Fox & Hackl 2007, Chierchia 2013)

35 The aim of this paper is to show that a refined version of the Contextualist position  
36 of Logicity + Modulation is superior to various implementations of Logicity which are  
37 inspired by or compatible with Semantic Minimalism. My argument has two parts. The first  
38 argues against popular approaches to the over-generation problem along the lines of Logicity  
39 + Syntactic skeletons (§2-§4). The key cases involve acceptable superficial trivialities similar  
40 to (4a)-(4b), except that the relevant individual terms or predicates are syntactically co-bound  
41 or in some form of anaphoric relation. I will argue that only Logicity + Modulation—  
42 according to which logical forms include general modulation operators over content terms and  
43 individual/predicate variables—can explain why these variants of superficial trivialities are  
44 strictly acceptable. The second part examines three novel, Minimalist-friendly attempts to

1 solve the over-generation problem while avoiding the shortcomings of Logicality + Syntactic  
 2 skeletons (§5). The first proposal is that triviality is checked only within minimal syntactic  
 3 phases, the second is that triviality is determined relative to a specific kind of non-classical  
 4 natural logic, and the third is that triviality is a result of lexical presuppositions. None of  
 5 these proposals appeal to semantic modulation operators, or posit any kind of ubiquitous  
 6 context-sensitivity across the lexicon. While each has advantages, I argue that, ultimately,  
 7 only Logicality + Modulation can maintain the triviality-based accounts of patterns such as  
 8 (1)-(3)—and similar generalizations which help capture the distribution of functional terms and  
 9 phrases—without simultaneously over-generating unacceptability assignments for various kinds  
 10 of ‘superficial’, acceptable trivialities. Importantly, it does *not* follow from my argument that  
 11 *any* version of Contextualism is a suitable partner of Logicality: as already alluded, I will argue  
 12 that we need a version in which modulation is computed by context-sensitive operators present  
 13 in logical form and is confined to content terms and variables of the corresponding referential  
 14 types (cf., Martí 2006, Stanley 2007). Radical Contextualism—roughly, the (popular) view  
 15 that *all* terms can be modulated to increase the coherence or utility of utterances—has to be  
 16 rejected, if Logicality is accepted.

## 17 2 The Logicality of language: A case study of quantifiers and exceptives

18 According to Logicality, the language system can identify and filter-out expressions which  
 19 are trivial, i.e., uniformly true/false in all worlds/situations in which they are defined. This  
 20 hypothesis can be used to derive generalizations, such as those in (1)-(3), which capture the  
 21 distribution of various functional terms and phrases, yet it should be implemented in a way  
 22 that avoids the over-generation problem. To evaluate different implementations of Logicality,  
 23 it will be useful to first review one triviality-based analysis in detail. This section presents  
 24 an influential triviality-based account of exceptive-*but* phrases, due to von Stechow (1993).  
 25 Additional acceptability patterns and accounts will be discussed in later sections.

26 The basic contrast concerning which quantifiers can host exceptive-*but* phrases in their  
 27 restrictors is repeated in (5), and the general acceptability pattern is summarized in (6).

- 28 (5) a. \*Some student/s but John passed the exam.  
 29 b. Every student but John passed the exam.

- 30 (6) Generalization:  
 31 a. ✓: *every, all, none, no*  
 32 b. ✗: the rest

33 The quantifiers that can and those that can’t host exceptive-*but* phrases in their restrictors  
 34 belong to the same syntactic category—partly for this reason, there is no principled syntactic  
 35 explanation for the acceptability pattern in (6). In contrast, the class of quantifiers that can  
 36 host exceptive-*but* phrases share a unique semantic characterization: they are the universal  
 37 (positive/negative) quantifiers. This characterization provides a clue for deriving the target  
 38 pattern: formulate a plausible entry for exceptive-*but* and examine how it interacts with  
 39 universal vs. non-universal quantifiers.

40 Suppose that expressions like (5a) and (5b) are parsed as in (7). A natural hypothesis  
 41 is that *but* subtracts the set denoted by its complement from that denoted by its host, as  
 42 captured in (8).

$$1 \quad (7) \quad [[\mathbf{D} [A [\text{but } C]]] P]$$

$$2 \quad (8) \quad [[[\mathbf{D} [A [\text{but } C]]] P]] = 1 \text{ iff } \begin{cases} (i) C \neq \emptyset \\ (ii) \mathbf{D}(A - C)(P) = 1 \end{cases}$$

3 Applied to (5b), this simple subtraction hypothesis generates the truth-conditions in (9):

$$4 \quad (9) \quad [[[\text{Every}_{\mathbf{D}} [\text{student}_A [\text{but } \text{John}_C]]] \text{passed}_P]] = 1 \text{ iff}$$

$$5 \quad (i) \quad \{\text{John}\} \neq \emptyset$$

$$6 \quad (ii) \quad \{x : x \text{ is student}\} - \{\text{John}\} \subseteq \{x : x \text{ passed}\}$$

7 Now, consider a world  $w_1$  in which every student including John passed the exam. (5b) is  
 8 intuitively false in  $w_1$ . Yet the truth-conditions in (9) predict that it should be true, since in  
 9  $w_1$  every student other than John passed the exam. This suggests that a simple subtraction  
 10 operation, as in (8), can't be the whole semantic contribution of *exceptive-but*. von Fintel  
 11 (1993) proposes instead an analysis closer to (10), which adds condition (iii) to the original  
 12 subtraction-based entry. This captures the idea that the complement of *but* should be the  
 13 smallest set one can subtract from the restrictor of  $\mathbf{D}$  while preserving the truth of the  
 14 quantified statement.

$$15 \quad (10) \quad [[[\mathbf{D} [A [\text{but } C]]] P]] = 1 \text{ iff } \begin{cases} (i) C \neq \emptyset \\ (ii) \mathbf{D}(A - C)(P) = 1 \\ (iii) \underbrace{\forall S[\mathbf{D}(A - S)(P) = 1 \rightarrow C \subseteq S]}_{\text{'the least you can take out' condition}} \end{cases}$$

16 Applied to (5b), the entry in (10) generates the truth-conditions in (11):

$$17 \quad (11) \quad [[[\text{Every}_{\mathbf{D}} [\text{student}_A [\text{but } \text{John}_C]]] \text{passed}_P]] = 1 \text{ iff}$$

$$18 \quad (i) \quad \{\text{John}\} \neq \emptyset$$

$$19 \quad (ii) \quad \{x : x \text{ is student}\} - \{\text{John}\} \subseteq \{x : x \text{ passed}\}$$

$$20 \quad (iii) \quad \forall S[\{x : x \text{ is student}\} - S \subseteq \{x : x \text{ passed}\} \rightarrow \{\text{John}\} \subseteq S]$$

21 Consider again  $w_1$ , where every student including John passed. This analysis now correctly  
 22 predicts that (5b) is false in  $w_1$ . For although conditions (i)-(ii) are obviously satisfied—since  
 23 every student other than John passed in  $w_1$ —(iii) isn't. Simply let  $S = \emptyset$ , then the antecedent  
 24 of (iii) is true while the consequent is false. This analysis also captures cases in which (5b) is  
 25 intuitively true, such as a world  $w_2$  in which John did *not* pass but every other student did  
 26 pass. The truth-conditions in (11) are satisfied in  $w_2$ . Conditions (i)-(ii) are satisfied because  
 27 every student other than John passed, and (iii) because any set substituted for  $S$  which  
 28 doesn't include John—such as the empty set or the singleton set of any other student—would  
 29 make the antecedent false, hence the whole conditional true. It is easy to check that the  
 30 analysis in (10) assigns appropriate truth-conditions to *exceptive-but* sentences with the other  
 31 (positive/negative) universal quantifiers, at least in direct instantiations of (7).<sup>2</sup>

2 Two clarifications. First, on this version of von Fintel's (1993) account, the first argument of *exceptive-but* is of type  $\langle e, t \rangle$ —i.e., takes characteristic functions of sets of entities. In cases like (11), this requires a type shifting operation from John to  $\{\text{John}\}$ . While other compositional routes are explored in von Fintel (1993), all still require that *but* be assigned a high type. Second, (10) is intended to

1 In addition to capturing the intuitive truth-conditions of acceptable *exceptive-but* sen-  
 2 tences, the analysis in (10) is also crucial to derive the acceptability patterns summarized in  
 3 (6). The key step is to recognize that the universal quantifiers in (6a) are all left-downward  
 4 entailing—this is what guarantees that there can be minimal exceptions to the corresponding  
 5 universal generalizations, and that sentences like (5a) are predicted to have contingent truth-  
 6 conditions, as we just saw. In contrast, left-upward-entailing quantifiers—e.g., *some*, (*at least*)  
 7 *three*, (*at least*) *four*, etc.—hosting an *exceptive-but* phrase in their restrictors, always fail to  
 8 simultaneously satisfy (i)-(iii), thereby generating truth-conditions that are trivially false.

9 (12)  $\mathbf{D}$  is a left upward entailing quantifier iff  $\forall A, A^+, P$  s.t.  
 10  $\llbracket \mathbf{D} \rrbracket(A)(P) = 1$  &  $A \subseteq A^+$ ,  $\llbracket \mathbf{D} \rrbracket(A^+)(P) = 1$

11 The reason for this is simple. Suppose  $\llbracket \mathbf{D} \rrbracket(A)(P) = 1$  and that the restrictor  $A = A^+ - C$ ,  
 12 where  $C \neq \emptyset$ . If  $\mathbf{D}$  is left-upward entailing, it follows that  $\llbracket \mathbf{D} \rrbracket(A^+)(P) = 1$ , since  $A \subseteq A^+$ .  
 13 That is, one could always have subtracted from  $A^+$  a smaller set than  $C$ —including the  
 14 empty set—and still get a true statement. Accordingly, expressions with left-upward entailing  
 15 quantifiers with *exceptive-but* phrases in their restrictors can’t satisfy the ‘least you can take  
 16 out’ condition (iii). Given Logicality, such trivially false expressions are marked as strictly  
 17 unacceptable.

18 To illustrate this result—i.e., that left-upward entailing quantifiers, when hosting *exceptive-*  
 19 *but* phrases in their restrictors, generate trivial truth-conditions—consider (5a). Given the  
 20 account of *but* in (10), (5a) is assigned the truth-conditions in (13):

21 (13)  $\llbracket \llbracket \text{Some}_{\mathbf{D}} [\text{student}_A [\text{but John}_C]] \rrbracket \text{passed}_P \rrbracket = 1$  iff  
 22 (i)  $\{\text{John}\} \neq \emptyset$   
 23 (ii)  $(\{x : x \text{ is student}\} - \{\text{John}\}) \cap \{x : x \text{ passed}\} \neq \emptyset$   
 24 (iii)  $\forall S[(\{x : x \text{ is student}\} - S) \cap \{x : x \text{ passed}\} \neq \emptyset \rightarrow \{\text{John}\} \subseteq S]$

25 Obviously, these conditions are not satisfied in worlds where no student passed. What we need  
 26 to check, then, is if they are satisfied in any worlds in which at least some students passed.  
 27 (i)-(ii) are only satisfied in worlds in which at least some students other than John passed.  
 28 Amongst those worlds, there are two cases to check for condition (iii): worlds in which John  
 29 also passed, and worlds in which he didn’t. In either case, let  $S = \emptyset$ . The antecedent of (iii)  
 30 is then true—since some students passed in those worlds—while the consequent is obviously  
 31 false. Hence in any world in which conditions (i)-(ii) of (13) are satisfied, the ‘least you

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capture the meaning of *but*, not of all *exceptive* terms/phrases. Indeed, most semanticists think that *except (for)* has a freer/more inclusive distribution than *but*. This is partly explained by assuming that the former doesn’t include the ‘least you can take out’ condition (iii). To be sure, Gajewski (2008b), Hirsch (2016) and Crnič (2018) have explored the hypothesis that the ‘least you can take out’ condition is not directly contributed by *but*; rather, it arises from the interaction between *but* (taken as just a set subtraction operation) and an exhaustification operator. On these views, the difference in the distribution between *but* and *except (for)* is captured by stipulating that while *but* phrases obligatorily trigger exhaustification, *except (for)* phrases trigger it only optionally. For simple sentences like those in (5), these accounts also predict the acceptability pattern in (6), for reasons parallel to those we present below. Accordingly—and because details of the compositional source of (iii) don’t affect broader issues about how best to implement Logicality—I focus here on von Stechow’s original (1993) account.

1 can take out' condition (*iii*) won't be. Since (5a) is assigned trivial truth-conditions, the  
 2 Logicality hypothesis correctly predicts that it is marked as unacceptable.

3 The final class we need to consider is that of left-non-monotonic quantifiers such as *exactly*  
 4 *3*, *most*, and *few*. The standard view is that these quantifiers can't host exceptive-*but* phrases  
 5 in their restrictors, as captured in (14):

- 6 (14) a. \*Exactly three students but John passed the exam.  
 7 b. \*Most students but John passed the exam.  
 8 c. \*Few students but John passed the exam.

9 Despite some complications, von Stechow's (1993) account also arguably predicts this result.  
 10 Let us focus on (14a). Given the account of *but* in (10), (14a) is assigned the truth-conditions  
 11 in (15):

- 12 (15)  $\llbracket \llbracket \text{Exactly three}_{\mathbf{D}}$  [students<sub>A</sub> [but John<sub>C</sub>]]  $\rrbracket \rrbracket$  passed<sub>P</sub>  $\rrbracket \rrbracket = 1$  iff  
 13 (i)  $\{\text{John}\} \neq \emptyset$  &  
 14 (ii)  $\text{card}(\{\{x : x \text{ is student}\} - \{\text{John}\}\} \cap \{x : x \text{ passed}\}) = 3$  &  
 15 (iii)  $\forall S[\text{card}(\{\{x : x \text{ is student}\} - S) \cap \{x : x \text{ passed}\}) = 3 \rightarrow \{\text{John}\} \subseteq S]$

16 The truth-conditions in (15) are clearly not satisfied in worlds where no student passed, as  
 17 well as in worlds where exactly one, two, or at least four students (excluding John) passed.  
 18 To determine if they are trivially false, we have to check if there are any worlds which satisfy  
 19 (15). There are two relevant remaining cases to consider. The first consists of worlds where  
 20 exactly three students passed and John is not in that set, i.e., he did not pass. This would  
 21 satisfy conditions (i)-(ii), but not (iii). For let  $S = \emptyset$ , then the antecedent of (iii) is true  
 22 while the consequent is false. The second consists of worlds where exactly three students  
 23 other than John passed and John also passed. This would again satisfy conditions (i)-(ii):  
 24 the set of students subtracting  $\{\text{John}\}$  includes exactly three that passed. But it again fails  
 25 condition (iii). For let  $S$  equal any singleton set containing any student other than John who  
 26 passed, then the antecedent of (iii) is true but the consequent is false, since  $\{\text{John}\}$  is not a  
 27 subset of any of those singleton sets. It follows that the truth-conditions of (14a) in (15) are  
 28 trivially false, so by Logicality (14a) is correctly predicted to be marked as unacceptable.<sup>3</sup>

3 *Most* and *few*-quantified sentences with *but*-phrases in their restrictors, such as (14b) and (14c), present  
 additional complications. For brevity, I focus on the case of *most* (the case of *few* is quite similar).  
 Given the entry for *but* in (10)—and assuming *most* means 'more than half'—(14b) is assigned the  
 truth-conditions in (A):

- (A)  $\llbracket \llbracket \text{Most}_{\mathbf{D}}$  [students<sub>A</sub> [but John<sub>C</sub>]]  $\rrbracket \rrbracket$  passed<sub>P</sub>  $\rrbracket \rrbracket = 1$  iff  
 (i)  $\{\text{John}\} \neq \emptyset$   
 (ii)  $\text{card}(\{\{x : x \text{ is student}\} - \{\text{John}\}\} \cap \{x : x \text{ passed}\}) > 1/2 \text{card}(\{\{x : x \text{ is student}\} - \{\text{John}\}\})$   
 (iii)  $\forall S[\text{card}(\{\{x : x \text{ is student}\} - S) \cap \{x : x \text{ passed}\}) > 1/2 \text{card}(\{\{x : x \text{ is student}\} - S) \rightarrow \{\text{John}\} \subseteq S]$

It is easy to check that most situations don't satisfy conditions (i)-(iii). So just like the corresponding  
*exactly n* sentences, (14b) is predicted to come out as false in general, a desirable result insofar as we  
 are trying to show that (14b) is unacceptable because it has trivial truth-conditions. However, there is  
 a type of situation in which the conditions in (A) are satisfied. Suppose there are just two students,

1 Summing up, using independently justified entries for the relevant functional terms,  
 2 we have identified a semantically definable class of quantificational determiners which can  
 3 host exceptive-*but* phrases in their restrictors. Specifically, we have shown that the (posi-  
 4 tive/negative) universal quantifiers, which are left-downward entailing, can host *but* phrases  
 5 in their restrictors without generating trivial readings. We also showed that, in contrast,  
 6 left-upward entailing quantifiers, and arguably also the left-non-monotonic ones, generate  
 7 trivially false readings when hosting *but* phrases in their restrictors. Based on those results,  
 8 we can derive the distributional generalization in (6) concerning the interaction between  
 9 quantifiers and exceptive-*but* phrases if we adopt Logicity, i.e., the hypothesis that sentences  
 10 with trivial truth-conditions are identified and marked as unacceptable by the language  
 11 system. Following Fox & Hackl (2007), let us call the computational system that can identify  
 12 and filter out such grammatically relevant trivial expressions the ‘Deductive System’ (DS).

### 13 3 The over-generation problem and Contextualist vs. Minimalist conceptions 14 of logical form

15 Logicity supports elegant accounts of the distribution of quantifiers and many other functional  
 16 terms and phrases. The problem for any triviality-based account, however, is that many  
 17 superficial tautologies and contradictions, such as those in (4), are strictly acceptable. This  
 18 is unexpected if the language system includes a DS that automatically filters out trivial  
 19 expressions. Can we implement Logicity so that the DS doesn’t over-generate assignments  
 20 of triviality, hence of strict unacceptability? Call ‘L-trivial’ the set of expressions that is  
 21 predicted to be strictly unacceptable relative to each solution of the over-generation problem.

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incl. John, and that only John failed. (i)-(ii) are satisfied because the cardinality of the set of students excluding John who passed is greater than that of half the set of students excluding John. (iii) is satisfied because if  $S = \emptyset$ , the antecedent of (iii) is false (since one student failed and one passed), and if  $S$  is the singleton set of the other student, the antecedent of (iii) is again false (since John, the only other student, did not pass). Either way, the conditional in (iii) comes out true. It follows that, on this account, sentences like (14b) may be true but only when their restrictor is a singleton set.

However, building on Heim (1991), Hirsch (2016), a.o., has noted that *most*-sentences seem to be infelicitous when interpreters know or presuppose that they have a singleton set as a restrictor (either of individuals or pluralities). This observation is motivated—independently of our target sentences—by examples like *#most tallest student/s in the class passed* and *#most of my parents came to visit*. One way of accounting for this observation is to argue that (under certain conditions) *most*-sentences trigger an obligatory ‘not all’ implicature, which would generate a contradiction whenever the target restrictor is a singleton set. Alternatively, we could add a singleton set ban as a presupposition on the restrictor of *most*. Either way, we would block the one type of situation in which the truth-conditions in (A) can be satisfied, and predict that (14b) comes out (whenever defined) as trivially false, hence is marked as unacceptable. Parallel issues (and solutions) apply to *few*-quantified sentences like (14c).

One final concern. Although the usual judgment amongst linguists working on connected exceptives is that (14b)-(14c) are indeed unacceptable (see e.g. von Stechow 1993, Gajewski 2008b, Hirsch 2016, Crnić 2018), a reviewer reports that (14b)-(14c) feel kind of acceptable, even if a bit odd, and seem to have the truth-conditions that would be assigned if we use the bare subtraction entry for *but* in (8). Assuming von Stechow (1993)’s account, this is an unexpected but not entirely surprising pattern of judgments. According to von Stechow (1993), a bare set subtraction operator is part of the functional (fixed) repertoire of natural languages. Although in English it is usually lexicalized by ‘free’ exceptives such as *except (for)*, it is possible that in some idiolects, or stages of grammaticalization, it is also lexicalized with *but* (while triggering only ‘optional’ exhaustification).

1 One way of approaching the over-generation problem is by examining different assumptions  
 2 about logical form, specifically, about the properties of the linguistic representations ‘seen’  
 3 by the DS. This is where Contextualism and Semantic Minimalism enter the discussion,  
 4 since they issue in distinctive hypotheses about the nature of logical form. In this section, I  
 5 present what I believe are the most promising ways of pairing Contextualism and Semantic  
 6 Minimalism with Logicality. Although both proposals help with the over-generation problem,  
 7 I will argue in §4 that only the Contextualist approach provides a fully general solution.

### 8 3.1 Contextualism as Logicality + Modulated Logical Forms

9 My goal here is to introduce the version of Contextualism which I propose to pair with  
 10 Logicality, and begin to illustrate how it addresses the over-generation problem. The full  
 11 justification for all the components of this proposal will emerge gradually as we discuss, in  
 12 later sections, additional acceptability patterns. On this version of Contextualism modulation  
 13 is performed by an operator,  $\mathcal{R}$ , present in logical form.  $\mathcal{R}$  is a polymorphic type operator  
 14 that is generated as a sister to all and only content terms and variables that can be assigned  
 15 any ‘referential’ types (i.e., individual and predicate variables) (cf. Del Pinal 2019, Chierchia  
 16 2019). The resulting hypothesis is schematically captured in (16):

17 (16) **Logicality + Modulated logical forms**

- 18 a. Language and its DS ‘see’ modulated logical forms, i.e., representations like  
 19 standard logical forms (LFs) except that all non-logical terms are arguments  
 20 of  $\mathcal{R}$  operators. If an expression can’t be ‘rescued’ from triviality by possible  
 21 modulations of  $\mathcal{R}$  operators it is marked as unacceptable.
- 22 b. To obtain a modulated LF for  $\alpha$ :
- 23 (i) Identify the minimal projections of any content terms and (individual and  
 24 predicate) variables of  $\alpha$  (any ‘referential’ points);
- 25 (ii) Add  $\mathcal{R}$  as a sister.

26 On this view, the DS interacts with modulated logical forms. These representations involve a  
 27 covert  $\mathcal{R}$  operator—a character interpreted in its *local context*—which attaches to all content  
 28 terms and variables and can modulate their meaning.<sup>4</sup> The class of content terms and  
 29 variables consists of open class terms such as *John* and *red* and individual and predicate-  
 30 type variables (for refinements, see §6). Although  $\mathcal{R}$  is obligatorily inserted in its licensed  
 31 positions, it can be lazy: i.e., it can compute the identity function, which results in a kind of

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4 Logicality + Modulated LFs builds on constrained Contextualist accounts in which modulation operators are present in logical form and operate only on non-logical terms (e.g., Szabó & Stanley 2000, Stanley 2007, Martí 2006, Sauerland 2014). Unlike radical Contextualism, Logicality + Modulated LFs is compatible with the hypothesis that the language system is relatively modular, and also with the standard compositional explanations of systematicity and productivity. Indeed, we can stipulate that the expressive power of  $\mathcal{R}$  is rather constrained, although this approach is compatible with various implementations of content class modulation, incl., versions somewhat similar to those recently explored by Abrusán et al. (2019, 2018), except that on my view modulation over functional/logical terms should be categorically ruled out. In recent work, Pistoia Reda & Sauerland (2021) argue that, to ‘rescue’ the full range of acceptable, superficial trivialities, we should model  $\mathcal{R}$  as being able to not only potentially constrain but also to loosen the interpretation of its arguments.

1 vacuous modulation. The modulated logical forms of some basic examples of unacceptable vs.  
2 (superficial) acceptable trivialities can be represented roughly as follows:

- 3 (17) \*Some students but the lazy ones passed the exam.  
4 a. Modulated LF:  
5  $[[[ \text{Some} [ \mathcal{R}_{c'}(\text{students}) [ \text{but the } \mathcal{R}_{c''}(\text{lazy ones}) ] ] ] [ \mathcal{R}_{c'''}(\text{passed}) ] ] ]$

- 6 (18) It is raining and it is not raining.  
7 a. Modulated LF:  
8  $[[ \text{It is } \mathcal{R}_{c'}(\text{raining}) ] [ \text{and} [ \text{it is not } \mathcal{R}_{c''}(\text{raining}) ] ] ] ]$

9 Given modulated logical forms, the subset of the L-trivial sentences—the trivial sentences  
10 that are marked as strictly unacceptable—can be defined as follows:

- 11 (19) **L-triviality with modulated logical forms:**  
12 a. A sentence is L-trivial iff (whenever defined) it comes out as uniformly true/false  
13 for every modulation available to each instance of  $\mathcal{R}$ . L-trivial sentences are  
14 marked as ‘ungrammatical’.  
15 b. A sentence is trivial iff (whenever defined) it comes out as uniformly true/false  
16 for the default value (the identity map) of modulations. Trivial but not L-trivial  
17 sentences are not marked as ‘ungrammatical’ by the DS.

18 To see why Logicality + Modulated LFs helps with the over-generation problem, let us  
19 examine how it derives the observed acceptability patterns for exceptive-*but* phrases and for  
20 our basic examples of superficial trivialities. Let us begin with the latter, simpler case. It is  
21 easy to see that, on this account, superficial trivialities like (18) do not come out as L-trivial.  
22 In this specific case, each token of *rain* can be modulated in a slightly different way given its  
23 local context, generating readings like ‘it is raining but it is not raining hard’. In general,  
24 modulated logical forms rescue from L-triviality many ‘superficial’ (and intuitively acceptable)  
25 tautologies and contradictions, for in all these cases their triviality depends on computing  
26 just the identity function over each token of their non-logical terms.

27 The next step is to show that Logicality + Modulated LFs makes the right predictions for  
28 the acceptability patterns with exceptive-*but* phrases. The basic contrast is repeated in (20)  
29 and (21). It is easy to see that (20a) comes out as contingent. One possible modulation of  
30 each token of  $\mathcal{R}$  is the identity function, and in that case (20a) is contingent: e.g., it is true  
31 in worlds in which all the non-lazy students passed and the lazy ones did not pass, and false  
32 in worlds in which all the students failed.

- 33 (20) All students but the lazy ones passed the exam.  
34 a. Modulated LF:  
35  $[[ [ \text{All} [ \mathcal{R}_{c'}(\text{students}) [ \text{but the } \mathcal{R}_{c''}(\text{lazy ones}) ] ] ] [ \mathcal{R}_{c'''}(\text{passed}) ] ] ]$   
36 b. Interpretation: [Contingent]  
37  $= 1 \text{ iff } \begin{cases} (i) \llbracket \mathcal{R}_{c''}(l. \text{ students}) \rrbracket \neq \emptyset \wedge \\ (ii) \llbracket \text{All} \rrbracket(\llbracket \mathcal{R}_{c'}(\text{students}) \rrbracket - \llbracket \mathcal{R}_{c''}(l. \text{ students}) \rrbracket)(\llbracket \mathcal{R}_{c'''}(\text{passed}) \rrbracket) = 1 \wedge \\ (iii) \forall S(\llbracket \text{All} \rrbracket(\llbracket \mathcal{R}_{c'}(\text{students}) \rrbracket - S)(\llbracket \mathcal{R}_{c'''}(\text{passed}) \rrbracket) = 1 \\ \rightarrow \llbracket \mathcal{R}_{c''}(l. \text{ students}) \rrbracket \subseteq S) \end{cases}$

1 Consider next (21), given its modulated LF in (21a). The aim is to show that we can't  
 2 'over-rescue' in this kind of case. Applying the entry for exceptive-*but* in (10), we get the  
 3 interpretation in (21b). From this we can see that (21a) is obviously false if no entity in  
 4  $\llbracket \mathcal{R}_{c'}(students) \rrbracket$  passed, or if  $\llbracket \mathcal{R}_{c'}(lazy\ students) \rrbracket = \emptyset$ . To determine if (21a) can come out  
 5 true, then, we need to check cases in which at least one entity in  $\llbracket \mathcal{R}_{c'}(students) \rrbracket$  passed  
 6 and  $\llbracket \mathcal{R}_{c'}(lazy\ students) \rrbracket$  is not empty. Since *some* is left-upward entailing, however, we can  
 7 always subtract less than  $\llbracket \mathcal{R}_{c'}(lazy\ students) \rrbracket$ , whatever that (non-empty) set is, since we  
 8 can simply subtract the empty set. As a result, the 'least you can take out condition' (=   
 9 condition (iii)) of exceptive-*but* is necessarily violated, and (21a) can't come out as true.<sup>5</sup>

10 (21) \*Some students but the lazy ones passed the exam.

11 a. Modulated LF:

12  $\llbracket \text{Some} [ \mathcal{R}_{c'}(students) [ \text{but the } \mathcal{R}_{c'}(lazy\ ones) ] ] \rrbracket \mathcal{R}_{c''}(\text{passed}) \rrbracket$

13 b. Interpretation: [Trivially false]

$$14 = 1 \text{ iff } \begin{cases} (i) \llbracket \mathcal{R}_{c'}(l.\ students) \rrbracket \neq \emptyset \wedge \\ (ii) \llbracket \text{some} \rrbracket (\llbracket \mathcal{R}_{c'}(students) \rrbracket - \llbracket \mathcal{R}_{c'}(l.\ students) \rrbracket) (\llbracket \mathcal{R}_{c''}(\text{passed}) \rrbracket) = 1 \wedge \\ (iii) \forall S (\llbracket \text{some} \rrbracket (\llbracket \mathcal{R}_{c'}(students) \rrbracket - S) (\llbracket \mathcal{R}_{c''}(\text{passed}) \rrbracket) = 1 \\ \rightarrow \llbracket \mathcal{R}_{c'}(l.\ students) \rrbracket \subseteq S) \end{cases}$$

15 Summing up, Logicality + Modulated LFs issues in a promising solution to the over-  
 16 generation problem: while standard examples of superficial trivialities don't come out as  
 17 L-trivial, the unacceptable examples with exceptive-*but* do come out as L-trivial. This  
 18 approach also preserves the L-triviality-based accounts of the other acceptability patterns in  
 19 (1)-(3) (see Del Pinal 2019, Chierchia 2019), and supports various additional applications of  
 20 Logicality that we discuss in §4-§5. To conclude my introduction of Logicality + Modulated  
 21 LFs, let me clarify its place within the more general class of Contextualist approaches to  
 22 logical form.

23 At this point, it is easy to see why not just any version of Contextualism will work  
 24 as a suitable partner of Logicality. Specifically, radical versions of Contextualism in which  
 25 *all* terms are subject to modulation (cf. Carston 2002, Recanati 2004, 2010) systematically  
 26 under-generate assignments of unacceptability in the kinds of cases considered here. Suppose  
 27 that the meaning of any term, including functional/logical ones, could be modulated so as  
 28 to increase the utility of assertions (where rescuing an assertion from strict unacceptability  
 29 would be a special case of this function). On this view, we could parse an exceptive sentence  
 30 like (22) as in (22a), i.e., with a modulation operator over exceptive-*but* (I omit other possible  
 31 modulations for simplicity). We have seen that what makes left-upward entailing quantifiers  
 32 such as *some* generate trivial readings in these sentences is the 'least you can take out'  
 33 condition (= (iii)) of *but*. Accordingly, we could rescue assertions of (22) and the like from  
 34 triviality via a modulation operation that simply drops that condition, and outputs a bare set  
 35 subtraction meaning, as captured in (22b).

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5 We said earlier that  $\mathcal{R}$  can 'restrict' (move to a subset of the set denoted by its argument) but also 'loosen' (move to a superset of the set denoted by its argument) interpretations. It is easy to check that cases like (21) cannot be rescued when  $\mathcal{R}$  'loosens' interpretations: if the set of lazy students is *not* the *smallest* set one can subtract from the set of students while maintaining truth, then, a fortiori, no superset of that set will be smallest set one can subtract from the set of students while maintaining truth.

- 1 (22) \*Some students but the lazy ones passed the exam.  
 2 a. Modulated LF:  
 3 [[ Some [ students [  $\mathcal{R}_{\mathcal{L}}$ (but) the lazy ones ]]] passed ]  
 4 b. Interpretation:  
 5 = 1 iff  $\left\{ \begin{array}{l} (i) \llbracket l. \text{ students} \rrbracket \neq \emptyset \wedge \\ (ii) \llbracket \text{some} \rrbracket (\llbracket \text{students} \rrbracket - \llbracket l. \text{ students} \rrbracket) (\llbracket \text{passed} \rrbracket) = 1 \end{array} \right.$

6 In this case, (22) comes out as contingent—e.g., it is false in worlds in which no students  
 7 passed, and true in worlds in which at least one student who is not amongst the lazy ones  
 8 passed (including worlds in which all the lazy students also passed). Accordingly, allowing  
 9 modulation over functional terms would result in the incorrect prediction that (22) has an  
 10 acceptable reading, paraphrasable as ‘at least some students who are not amongst the lazy  
 11 ones passed the exam’. In general, positions that allow for modulation to operate over  
 12 functional terms make systematically incorrect ‘over-rescuing’ predictions. This result is  
 13 important because radical Contextualism remains an attractive position amongst philosophers  
 14 of language—yet it is simply not a viable position for those who also accept Logicity.

15 Logicity + Modulated LFs qualifies as a constrained form of Contextualism due to  
 16 two properties of the modulation operator  $\mathcal{R}$ . First,  $\mathcal{R}$  is attached exclusively to non-logical  
 17 terms, where the target class includes content terms like *John* and *red* and individual and  
 18 predicate variables. Second,  $\mathcal{R}$  may result in non-trivial modulations—including those that  
 19 ‘rescue’ expressions which would otherwise be informationally useless—but can also simply  
 20 compute the identity function. In §4-§5 I present additional empirical evidence to support both  
 21 constraints. What I want to highlight here is the contrast with Radical Contextualist positions  
 22 which hold that there is no strict distinction between logical and non-logical terms relevant to  
 23 modulation, and/or that interpreters are required to non-trivially modulate all token uses  
 24 of (non-logical) terms. What I’m proposing instead is to explore a much more constrained  
 25 approach according to which modulation is sensitive to the distinction between logical and  
 26 non-logical terms, and even when licensed non-trivially modulations only occur under certain  
 27 conditions. On this approach, logical terms such as quantifiers, coordinators and modals  
 28 form a relatively closed class system such that token uses of them can’t be synchronically  
 29 modulated, while content terms such as nouns, verbs and variables of the same semantic types  
 30 form a relatively open system such that uses of them can be synchronically modulated to  
 31 increase the coherence/informativeness of utterances. To be sure, it is not trivial to come  
 32 up with a systematic way of separating logical and non-logical terms, esp., given the goal of  
 33 picking out the descriptively appropriate set of L-trivial expressions. Still, this is a task that,  
 34 as we will see, any viable approach to the over-generation problem needs to face (see §6).

### 35 3.2 Semantic Minimalism as Logicity + Skeletons

36 Consider next a Minimalist-friendly notion of logical form that can be paired with Logicity  
 37 to tackle the over-generation problem. The key stipulation, due to Gajewski (2002), is that  
 38 the DS operates over a level of representation—called ‘logical skeletons’—that is ‘blind’ to  
 39 the identity and specific content of all non-logical terms (see also Fox & Hackl 2007, Gajewski  
 40 2009, Chierchia 2006, 2013, Abrusán 2011). The resulting package—quite popular amongst  
 41 proponents of Logicity as an approach to the over-generation problem—is captured in (23):

1 (23) **Logicality + Logical Skeletons**

- 2 a. Language and its DS ‘see’ only ‘logical skeletons’: representations that are  
 3 underspecified with respect to the meaning/identity of their non-logical terms.  
 4 Expressions whose skeletons can be proven trivial are marked as unacceptable.  
 5 b. To obtain the logical skeleton of an LF  $\alpha$ :  
 6 (i) Identify the maximal constituents of  $\alpha$  containing no logical terms;  
 7 (ii) Replace each such constituent with a fresh constant of the same type.

8 On this view, the DS is radically ‘blind’ to all non-logical terms—crucially, it does not even  
 9 see when two content/non-logical tokens are tokens of the same term. Accordingly, the logical  
 10 skeletons of our basic target examples would look roughly as in (24a) and (25a). Note that in  
 11 (25a) each token of *rain* is replaced with a new variable (of the same semantic type).

12 (24) \*Some students but John passed the exam

- 13 a. Skeleton:  
 14 [[ Some [  $P$  [ but  $S$  ]]] [  $V$ -ed the  $E$  ]]

15 (25) It is raining and it is not raining.

- 16 a. Skeleton:  
 17 [[ It is  $R$ -ing ] [ and [ it is not  $Q$ -ing ]]]

18 To complete this account, we have to specify which subset of the trivial sentences are marked  
 19 as unacceptable, i.e., we have to define the set of ‘L-trivial’ sentences:

20 (26) **L-triviality with Skeletons**

- 21 (i) A sentence is L-trivial iff its logical skeleton = 1 (or 0) for *all* interpretations in  
 22 which it is defined.  
 23 (ii) A sentence is marked as ‘ungrammatical’ if it is or contains an L-trivial sentence.

24 Logical skeletons correspond (roughly) to a level of syntactic representation advanced on  
 25 independent grounds by work in distributional morphology, according to which content/open-  
 26 class terms are inserted ‘late’ in the derivation process (Marantz 1994, Harley 2014). From  
 27 this perspective, it is not ad hoc to stipulate that the DS applies at a stage of processing in  
 28 which only the functional skeleton of expressions is explicitly represented.

29 To see how Logicality + Skeletons helps with the over-generation problem, consider why  
 30 it predicts that acceptable, superficial trivialities are not L-trivial while still supporting the  
 31 triviality-based account of acceptability patterns with exceptive-*but* sentences. It is easy to  
 32 check that, based on their skeletons, superficial trivialities such as (25) do not come out as  
 33 L-trivial, hence are not marked as strictly unacceptable: e.g., consider interpretations of  $R$   
 34 and  $Q$  in which  $Q$  is a proper subset of  $R$  or interpretations in which they are non-empty and  
 35 disjoint. In addition, Logicality + Skeletons also makes the right predictions for the target  
 36 patterns with exceptive-*but* sentences. The basic contrast is repeated in (27) and (28). The  
 37 skeleton in (27a) can come out as true or false depending on the values assigned to  $P_1$ ,  $P_2$   
 38 and  $P_3$ .

39 (27) Every student but John passed the exam

- 40 a. Logical skeleton: [[*every* [ $P_1$  [*but*  $P_2$ ]]]  $P_3$ ]

- 1           b. Interpretation: [Contingent]  
               = 1 iff  $\begin{cases} (i) I(P_2) \neq \emptyset \wedge \\ (ii) \llbracket \text{every} \rrbracket (I(P_1) - I(P_2))(I(P_3)) = 1 \wedge \\ (iii) \forall S [\llbracket \text{every} \rrbracket (I(P_1) - S)(I(P_3)) = 1 \rightarrow I(P_2) \subseteq S] \end{cases}$

3 In contrast, the skeleton in (28a) can never come out as true. Given the entry for *but* in  
 4 (10),  $I(P_2) \neq \emptyset$  (= condition (i)), otherwise (28) is false (or a presupposition failure). Given  
 5 that result, take any interpretation of  $P_1 \dots P_3$  which satisfies (ii). To check if the ‘least  
 6 you can take out condition’ (= condition (iii)) can be satisfied, let  $S = \emptyset$ . Since *some* is  
 7 left-upward entailing, the antecedent of (iii) will be satisfied while the consequent is false for  
 8 any non-empty interpretation of  $P_2$ . Accordingly, (28) comes out as trivially false (whenever  
 9 defined), and is correctly marked as unacceptable.

10 (28) \*Some students but John passed the exam.

- 11           a. Logical skeleton:  $\llbracket \text{some} [P_1 \text{ but } P_2] \rrbracket P_3$   
 12           b. Interpretation: [Trivially false]  
 13               = 1 iff  $\begin{cases} (i) I(P_2) \neq \emptyset \wedge \\ (ii) \llbracket \text{some} \rrbracket (I(P_1) - I(P_2))(I(P_3)) = 1 \wedge \\ (iii) \forall S [\llbracket \text{some} \rrbracket (I(P_1) - S)(I(P_3)) = 1 \rightarrow I(P_2) \subseteq S] \end{cases}$

14           Summing up, we have seen that if we assume that the system that searches for ‘trivialities’  
 15 runs on skeletons, we can begin to capture the correct distinction between superficial trivialities  
 16 and strictly unacceptable L-trivialities. Although we have derived this result for only one  
 17 case—connected *but*-exceptives—the acceptability patterns for the other cases in (1)-(3) can  
 18 also arguably be derived from the triviality vs. contingency of the corresponding logical  
 19 skeletons (see Gajewski 2002, 2008a, 2009, Chierchia 2013).<sup>6</sup> In addition, Logicality +  
 20 Skeletons is compatible with the rejection of the hypothesis that most content terms include  
 21 genuine context-sensitive parameters. In other words, holding that there is a level of processing  
 22 in which the identity of content/open-class terms is ignored is compatible with holding that,  
 23 once the identity and semantic values of these terms are recovered, most of them don’t have  
 24 any context-sensitive parameters. Logicality + Skeletons, then, is a reasonable approach to  
 25 the over-generation problem which postulates a grammatically-relevant level of representation  
 26 that is fully compatible with the commitments of Semantic Minimalism.

#### 27 4 Modulated LFs vs. Skeletons: Superficial trivialities with bound variables

28 We have seen that pairing Logicality with either Modulated Logical Forms (the Contextualist-  
 29 friendly option) or Logical Skeletons (the Semantic Minimalist-friendly option) helps with  
 30 the over-generation problem. Specifically, each package can explain why some basic cases of  
 31 superficially trivial sentences are not marked as strictly unacceptable, while supporting the  
 32 derivation of L-triviality for the target expressions in acceptability patterns, such as (1)-(3),  
 33 which capture the distribution of various kinds of functional terms and phrases. However,

<sup>6</sup> I should point out, however, that Del Pinal (2019) argues that Logicality + Skeletons has difficulties supporting L-triviality-based accounts of negative polarity items, such as the one defended in Chierchia (2013) (see also §5.2 below). Abrusán (2014) also discusses various acceptability patterns—which arguably call for triviality-based explanation—that are hard to capture based on the skeletons of the relevant expressions.

1 there is a class of cases, to which we now turn, that can discriminate between those proposals.  
 2 The key examples are similar to superficial contradictions and tautologies, except that the  
 3 content terms that generate the trivialities are either syntactically co-bound or in some kind  
 4 of anaphoric dependency relation. I will argue that in these kinds of superficial trivialities  
 5 Logicality + Skeletons, but not Logicality + Modulated LFs, systematically over-generates  
 6 unacceptability assignments.

#### 7 4.1 Superficial trivialities with predicate co-binding

8 According to Skeletons, the identity of content terms is not encoded at the level of representa-  
 9 tion accessible to the DS: e.g., superficial contradictions like *It is raining and not raining* are  
 10 ‘seen’ roughly as *It is R and it is not Q*. This helps explain why some superficial trivialities  
 11 are acceptable. However, we can construct acceptable superficial trivialities which induce  
 12 various kinds of syntactic co-dependencies between the target content terms. Crucially, it is  
 13 hard to deny that these kinds of co-dependencies—especially binding relations—are encoded  
 14 in the functional skeletons of expressions. In these cases, L-triviality can be proven from their  
 15 corresponding skeletons, but not, I will argue, from their modulated LFs.

16 Consider first superficially trivial expressions with co-bound predicate variables, such as  
 17 (29). Suppose the level of representation where grammaticality is determined is blind to the  
 18 identity of non-logical terms like *smart*. Still, the structure with co-binding ensures that,  
 19 whichever specific predicate is ultimately selected, it must co-occur in both conjuncts, as  
 20 captured in (29a). Since (29a) is L-trivial, (29) is incorrectly predicted to feel ungrammatical.  
 21 In contrast, consider the modulated LF of (29) in (29b). Since each instance of the co-bound  
 22 predicate can be modulated in slightly different ways, the DS can’t derive L-triviality, and  
 23 (29) is correctly predicted to feel strictly acceptable.<sup>7</sup>

- 24 (29) Smart is what John is and isn’t.  
 25 a.  $P$  is [what<sub>1</sub> John is  $t_1$  and is not  $t_1$ ]  
 26 b. Smart is [what<sub>1</sub> John is  $\mathcal{R}_{e'}(t_1)$  and is not  $\mathcal{R}_{e''}(t_1)$ ]

27 To make the same point with a different example, consider the embedded question in (30).  
 28 Since its syntactic skeleton has to encode binding information, as captured in (30a), L-triviality  
 29 can be easily derived. So (30) is incorrectly predicted to be strictly unacceptable. In contrast,  
 30 L-triviality is not derivable from the modulated LF for (30), captured in (30c), which can  
 31 support modulated meanings such as (30d):

- 32 (30) I wonder what John is and isn’t...  
 33 a. what<sub>1</sub> John is  $t_1$  and is not  $t_1$   
 34 b.  $\llbracket(30a)\rrbracket \approx \{p: \exists Q[p = \text{John is } Q \text{ and John is not } Q]\}$   
 35 c. what<sub>1</sub> John is  $\mathcal{R}_{e'}(t_1)$  and is not  $\mathcal{R}_{e''}(t_1)$

---

7 A defender of Skeletons can respond that the meaning of *smart* is a character whose parameters have to be saturated in its local context. This kind of response might work for some examples of superficial trivialities with co-binding, such as (29), but it is not a generalizable strategy for Semantic Minimalists. For we can easily construct examples that are structurally like (29) except that the co-bound predicates are not, given basic Minimalist commitments, context-sensitive characters/terms.

- 1           d.  $\llbracket(30c)\rrbracket \approx \{\text{John is a typical cousin and not a good cousin, John is a typical}$   
 2            friend and not a good friend, John is a typical partner and not a good partner,  
 3             $\dots\}$

4 These kinds of superficial trivialities with predicate co-binding are not just strictly acceptable—  
 5 in some cases, they are easy to produce and interpret. Imagine that Mary and Peter are  
 6 perplexed by John’s recent selfish behavior:

- 7 (31)    a. Peter: I wonder what John is and is not ...  
 8           b. Mary: A friend ...

9 In this case, Mary’s assertion can be naturally interpreted as saying that John is a friend in  
 10 one sense, but also not a friend in some other, perhaps deeper sense.

11 Interestingly, given standard accounts of ellipsis and other forms of de-accentuation,<sup>8</sup>  
 12 even quite simple variants of our original superficial trivialities arguably present a challenge  
 13 to Skeletons, as pointed out by Sauerland (2017), but not to Modulated LFs. To see why,  
 14 assume a structural account of ellipsis, according to which elided material is subject to some  
 15 kind of (anaphoric) syntactic and/or semantic identity constraint, as captured in (32a)-(32b).  
 16 Note that our original examples of superficial trivialities, such as (33a), don’t involve ellipsis  
 17 or de-accentuation. It is thus reasonable to assume that no identity condition is explicitly  
 18 imposed over the tokens of the predicates which generate the superficial contradiction. This  
 19 means that we can generate a skeleton as in (33b), which is not L-trivial.

- 20 (32)    a. Jasmine is smart but John isn’t.  
 21           b. Jasmine is smart<sub>1</sub> but John isn’t smart<sub>1</sub>

- 22 (33)    a. John is smart and John isn’t smart.  
 23           b. John is *P* and John isn’t *Q*

24 Yet consider simple variants of (33a) with ellipsis, such as the superficial trivialities in (34a)  
 25 and (35a). The problem for Skeletons is that the syntactic licensing condition has to encode  
 26 the information that the elided predicate is anaphoric or copied from the non-elided one,  
 27 as captured in (34b) and (35b). That is, logical/functional skeletons must encode that co-  
 28 identity information, even if the specific interpretation of the predicate is ignored at this level.  
 29 The problem, of course, is that structures like (34b) and (35b) are L-trivial. In contrast,  
 30 the corresponding modulated LFs in (34c) and (35c) meet the syntactic/semantic identity  
 31 condition on the elided predicate, do not come out as L-trivial, and help explain why these  
 32 expressions can support a reading like ‘John is smart in some sense and isn’t smart in some  
 33 other sense’.<sup>9</sup>

8 See Rooth (1992), a.o.; for a survey of recent accounts of ellipsis, see Merchant (2019).

9 This analysis seems to presuppose that, in cases like (34a) and (35a), the tokens of  $\mathcal{R}$  which modify the elided material bypass the identity condition, which is questionable if we assume that such tokens are generated within the elided verb phrase. Yet even if we assume that the syntactic and/or semantic identity condition applies to  $\mathcal{R}$ , we would still get the same result. This is because elided context-sensitive terms (with open parameters) are, in general, interpreted in their local context as determined by their LF position. To see this, consider examples like (ia)-(ib):

- (i)    a. Serena Williams is a great tennis player, and you are one as well.

- 1 (34) a. John is and isn't smart.  
 2 b. John is ~~smart<sub>T</sub>~~ and isn't smart<sub>T</sub>  
 3 c. John is  $\mathcal{R}_{c'}(\text{smart}_T)$  and isn't  $\mathcal{R}_{c''}(\text{smart}_T)$
- 4 (35) a. John is smart, but he also isn't.  
 5 b. John is smart<sub>T</sub> but he also isn't ~~smart<sub>T</sub>~~  
 6 c. John is  $\mathcal{R}_{c'}(\text{smart}_T)$  but he also isn't  $\mathcal{R}_{c''}(\text{smart}_T)$

## 7 4.2 Superficial trivialities with reflexives

8 Logicality + Skeletons, but not Logicality + Modulated LFs, also over-generates unacceptabil-  
 9 ity assignments for superficial trivialities with reflexives (Del Pinal 2019, Chierchia 2019).<sup>10</sup>  
 10 Consider the deceptively simple example in (36). Assuming a bound variable account of  
 11 reflexives—according to which they have to be bound in their local syntactic environment  
 12 (Chomsky 1981, Heim & Kratzer 1998)—(36) has an LF as in (36a). Due to the presence  
 13 of binding, (36a) can be easily shown to be L-trivial, even given its skeleton. As a result,  
 14 Skeletons incorrectly predicts that (36) is unacceptable.<sup>11</sup> In contrast, Modulated LFs says  
 15 that  $\mathcal{R}$  is triggered as a sister of any referential type leaf, including variables of type  $e$  (or  
 16  $\langle s, e \rangle$ ). Accordingly, the modulated LF for (36) is roughly as in (36b), which is not L-trivial  
 17 because the modulation can be different at each local context for  $\mathcal{R}$ .

- 18 (36) David is not himself (today).  
 19 a. David  $\lambda x_i[x_i$  is not himself <sub>$i$</sub> ]  
 20 b. David  $\lambda x_i[\mathcal{R}_{c'}(x_i)$  is not  $\mathcal{R}_{c''}(\text{himself}_i)]$   
 21 c.  $\lambda w \neg[d = \iota x[x$  behaves (in  $s$  in  $w$ ) how  $d$  usually behaves in  $w]]$   
 22  $\approx$  David is not the person behaving (in this situation/today) the way he usually  
 23 behaves.

- 
- b. The dutch basketball team is very tall, and so is their football team.

A coach can assert (ia), to motivate a junior player, and use different standards for what counts as a 'great player' for Serena Williams vs. for junior players. Similarly, a fan can assert (ib) and use different standards for what it is to count as a 'tall team' for a basketball vs. a football team. This kind of flexibility is systematically exhibited by certain kinds of context-sensitive items. While this observation is compatible with a syntactic identity condition, it suggests that a semantic identity condition should technically apply at the level of characters (not contents).

10 The problem of acceptable, superficial trivialities with reflexives is briefly discussed by Gajewski (2009), focusing on the challenge they raise for Skeletons. In Del Pinal (2019)—where I defended a precursor to Logicality + Modulated LFs—I tried to deal with those cases without assuming that modulation applies to variables over individuals. The account I present below is based instead on the recent proposal by Chierchia (2019) to extend the domain of modulation to variables over individuals.

11 Could proponents of Skeletons reply that the DS is also blind to the English copula *is* and treats it as one amongst various other possible relations (i.e., treat the copula as an open class term)? This strategy doesn't seem promising (see Gajewski 2002, 2009, Abrusán 2014, Del Pinal 2019, Chierchia 2019). First, the copula is syntactically a prototypical functional item. Second, semantic criteria such permutation invariance tests classify identity as a logical constant. Third, treating identity as a non-logical term doesn't help with variants of the basic cases which don't involve the use of the copula, such as superficial trivialities with reflexives in comparatives (discussed below).

1 The hypothesis that (36) has the modulated LF in (36b) helps explain why, in some contexts,  
 2 it can get readings like the one paraphrased in (36c). Suppose, for simplicity, that proper  
 3 names and variables over individuals are assigned (constant) functions of type  $\langle s, e \rangle$ . From  
 4 this perspective, one of the effects of  $\mathcal{R}$  in this domain (when not resolved to the ‘lazy’ identity  
 5 function), is to return descriptions that may pick out different individuals across possible  
 6 worlds/situations. In the case at hand—i.e., to get the reading in (36c) given (36b)— $\mathcal{R}_{c''}$  maps  
 7 David to a ‘concept’ of an individual like ‘the person that behaves (in situation  $s$ /time-slice  $t$ )  
 8 the way David usually behaves’ (while  $\mathcal{R}_{c'}$  is ‘lazy’, i.e., is resolved to the identity function).<sup>12</sup>

9 Like superficial trivialities with predicate co-binding, acceptable superficial trivialities  
 10 with reflexives occur in many kinds of constructions. Consider reflexives in comparatives  
 11 such as (37). For the analysis, assume a degree semantics for comparatives where adjectives  
 12 correspond to relations between individuals and degrees (e.g., Kennedy 2007). The standard  
 13 LF in (37a) is L-trivial, and generating its skeleton doesn’t help due to the presence of the  
 14 reflexive. In contrast, the modulated LF in (37b) is not L-trivial, which is the desired result.

- 15 (37) John was more eloquent than himself.
- 16 a.  $\text{John}_i \lambda x_i [x_i \text{ was MORE(eloquent) than himself}_i]$   
 17  $= \lambda x_i [\text{MORE(eloquent)}(x_i)(x_i)] (\text{John}_i)$   
 18 where for any  $u$ ,  $\text{MORE(eloquent)}(u)$  is the property of being more eloquent  
 19 than  $u$  defined as follows:  
 20  $u'$  has the property of being more eloquent than  $u$  iff there is some  
 21 degree  $d$  such that  $u'$  is at least  $d$ -eloquent and  $u$  is not  $d$ -eloquent.
- 22 b.  $\text{John}_i \lambda x_i [\mathcal{R}_{c'}(x_i) \text{ was MORE(eloquent) than } \mathcal{R}_{c''}(\text{himself}_i)]$   
 23  $= \lambda x_i [\text{MORE(eloquent)}(\mathcal{R}_{c'}(x_i))(\mathcal{R}_{c''}(x_i))] (\text{John}_i)$

24 Superficial trivialities with reflexives such as (37) are not only strictly acceptable but even  
 25 quite easy to interpret. Suppose that it is common ground between Mary and Peter that  
 26 John’s speeches are usually quite bad. One odd Monday, however, John’s speech was amazing,  
 27 but only Mary was present when it was delivered:

- 28 (38) a. Peter: How did John do today?

12 Chierchia (2019) argues that the notion of modulation over individuals is independently supported  
 by—indeed, can be seen as an extension of—an influential approach to de re (and de se) belief. Briefly,  
 the challenge in the de re case is to explain why (ia) can be used to express a non-contradictory belief  
 of John concerning his actual brother, appropriate in scenarios like (ib).

- (i) a. John believes that his brother is not his brother.  
 b. John believes that his actual brother is in fact an impostor trying to steal his inheritance.

One promising approach to these cases, going back to Quine (1956), Kaplan (1968) and Cresswell &  
 Von Stechow (1982), appeals to concepts through which the relevant individual is accessed by the  
 attitude holder, where a belief is de re about an individual  $u$  whenever  $u$  reliably induces a concept  
 in the belief holder  $a$  which identifies  $u$  for  $a$  in  $a$ ’s belief state. For (ia), such concept might be ‘the  
 man who wants to share John’s inheritance’. Charlow & Sharvit (2014) propose an implementation of  
 this approach in which the LFs for de re beliefs include ‘concept generators’, which are inserted in the  
 syntactic spot of the *res* and drive pragmatically the propositional content of the belief. According to  
 Chierchia (2019), the use of modulation over individual terms and variables can arguably be viewed as  
 an extension of Charlow and Sharvit’s proposal for the semantics of de re belief.

1           b. Mary: It was unreal! I mean, he was more eloquent than himself.

2 Given a modulated LF roughly analogous to (37b), we predict that Mary’s assertion is strictly  
3 acceptable and can convey something like that John’s degree of eloquence (on that odd  
4 Monday) was higher than the degree of eloquence that he usually or normally displays.

### 5 4.3 Too much modulation?

6 Logicality + Modulated LFs says that the modulation operator,  $\mathcal{R}$ , appears as a sister of all  
7 content terms and variables. The account of superficial trivialities with bound variables in  
8 §4.1-4.2 builds on that assumption. One might worry, however, that while that assumption  
9 helps with the over-generation problem, it gives too much expressive power to  $\mathcal{R}$ , thereby  
10 forcing ‘informative’ readings for superficial tautologies and contradictions. The problem,  
11 from this perspective, is that there are contexts in which the intended readings are precisely  
12 the trivial ones. Consider example (39), where the context as updated by the first assertion  
13 suggests that the intention of the speaker is that the complement of the belief attribution  
14 should be assigned its trivial, contradictory reading.

15 (39) Donald is totally irrational. He believes that he will both win and not win the race.

16 Suppose the embedded clause has a modulated LF as in (40a). This seems to predict that the  
17 embedded clause gets the reading in (40b), but in (39) the default reading is closer to (40c)  
18 (or at least we want a framework that leaves open this possibility):

- 19 (40) a.  $he_1$  will  $\mathcal{R}_{c'}$ (win)  $\wedge$   $he_1$  will not  $\mathcal{R}_{c''}$ (win)  
20       b. Donald believes that he will win (in one sense of winning) and also that he won’t  
21       win (in another sense of winning).  
22       c. Donald believes, in exactly the same sense of winning, that he will win and not  
23       win.

24 Yet Logicality + Modulated LFs, as presented in §3.1, entails that superficially trivial  
25 expressions can be assigned trivial readings. On this view, an expressions counts as L-trivial,  
26 and is thus filtered out, only if it is trivial on every possible modulation (i.e., resolution of  $\mathcal{R}$ ),  
27 which is obviously not the case for (40a). Still, even in such cases,  $\mathcal{R}$  can ultimately (i.e., once  
28 the context is taken into account) be assigned the laziest modulation, i.e., the identity function.  
29 In the case of (39), this choice would generate the intended reading. From this perspective,  
30 the second sentence in (39) is trivial but not L-trivial, and is thus correctly predicted to be  
31 strictly acceptable. Generalizing, Logicality + Modulated LFs entails that some (acceptable)  
32 expressions which are not L-trivial—since they are not trivial on every possible modulation  
33 of each token of  $\mathcal{R}$ —can still be assigned a trivial reading in particular contexts. Indeed,  
34 Logicality + Modulated LFs is compatible with the view that lazy modulation is the default,  
35 such that  $\mathcal{R}$  is only assigned a substantive modulation function when supported by specific  
36 patterns of focus/intonation, questions under discussion, and similar factors.

## 37 5 Other approaches to Logicality compatible with Semantic Minimalism

38 The Contextualist package of Logicality + Modulated LFs, I have argued, is descriptively  
39 superior to the Semantic Minimalist-friendly package of Logicality + Skeletons. Specifically,

1 Logicality + Modulated LFs issues in a more general solution to the over-generation problem  
 2 while preserving L-triviality-based accounts of acceptability patterns, such as those in (1)-  
 3 (3), which help capture the distribution of various functional terms and phrases. For those  
 4 sympathetic to Logicality, this result amounts to a novel argument for Contextualism over  
 5 Semantic Minimalism—but only if there are no other viable implementations of Logicality  
 6 compatible with Minimalism. In this section, I present three additional Minimalist-friendly  
 7 implementations of Logicality, and argue that each option is descriptively inferior, given the  
 8 over-generation problem, to Logicality + Modulated LFs. Unlike Skeletons, these proposals  
 9 have not been explored in the literature; yet each has some *prima facie* plausibility. Examining  
 10 why they fail will enrich our understanding of the conditions that should be satisfied by any  
 11 viable implementation of Logicality.

### 12 5.1 L-triviality within Phases

13 Suppose that the DS sees ‘standard’ (Semantic Minimalist-friendly) logical forms—i.e.,  
 14 textbook syntactic representations, different from both logical skeletons and modulated logical  
 15 forms, where only a special class of terms exhibits linguistically-driven context sensitivity.  
 16 Assume, however, that the DS only checks for trivialities within (and not across) ‘minimal  
 17 syntactic phases’. As a first pass, we can say that a syntactic structure counts as a minimal  
 18 phase if it can be assigned a propositional type interpretation and has no proper constituents  
 19 that can also be assigned a propositional type interpretation.

20 (41) **Logicality + Phases.** The DS sees standard logical forms and filters out all  
 21 expressions which can be shown to be logically trivial. However, the DS operates only  
 22 within minimal syntactic phases. Expressions whose triviality depends on comparing  
 23 information across minimal phases are not seen as L-trivial by the DS, hence are not  
 24 marked as strictly unacceptable.

25 The hypothesis that syntactic structures are computed in phases has some independent  
 26 motivation (Chomsky 1995, Radford 2004). To see why Logicality + Phases has some promise  
 27 as a solution to the over-generation problem, consider again two basic examples of the kinds  
 28 of superficial trivialities that implementations of Logicality should *not* classify as L-trivial:

- 29 (42) a. If John<sub>1</sub> is wrong, then he<sub>1</sub> is wrong.  
 30 b. It is raining and it is not raining.

31 (42a) and (42b) share the feature that, to identify their triviality, the DS would have to  
 32 look across more than one minimal propositional structure, i.e., it would have to compare  
 33 material across distinct syntactic phases. Specifically, to determine if (42a) is a tautology, the  
 34 DS would have to compare information across two phases, as informally captured in (43a).  
 35 Similarly, to determine if (42b) is a contradiction, it would need to look across two phases, as  
 36 informally captured in (43b):

- 37 (43) a.  $\overbrace{[\text{If } [j_1 \text{ is } W], \text{ then } [he_1 \text{ is } W]]}^{\text{Min. Phase}}$   
 38 b.  $\overbrace{[[\text{It is R-ing}]]}^{\text{Min. Phase}}$  and  $\overbrace{[it \text{ is (not) R-ing}]]}^{\text{Min. Phase}}$



- 1 (47) Weak presuppositional islands: (Abrusán 2011)  
 2 a. \*How do you regret that Mary fixed the roof? [trivially false]  
 3 b. How do you hope that Mary fixed the roof?

4 The problems of over and under-generation of unacceptability assignments, taken together,  
 5 amount to a serious dilemma for Logicality + Phases—and it is hard to imagine a reasonable  
 6 modification of the notion of minimal phases that can avoid it. On the one hand, to block  
 7 the incorrect assignment of L-triviality for simple sentences with reflexives such as (44a)  
 8 and (44b), minimal phases would have to involve ‘small’ syntactic structures with arguably  
 9 sub-propositional type interpretations. On the other hand, to prove L-triviality for cases  
 10 that require access to the interaction between propositional operators and their complements,  
 11 such as (46a) and (47a), minimal phases would have to involve rather inclusive syntactic  
 12 structures which may have structures with propositional type interpretations as proper sub-  
 13 constituents. It is hard to see how a coherent and independently motivated notion of phases  
 14 might satisfy both of these constraints, since they pull in opposite directions with respect to  
 15 the size-complexity of the kinds of structures that are evaluated for triviality by the DS.<sup>15</sup>

## 16 5.2 Exotic Deductive Systems

17 Another way of pairing Semantic Minimalism with Logicality is to assume that the DS  
 18 implements a non-classical ‘natural’ logic. Many acceptable superficial trivialities, given  
 19 their standard logical forms, correspond to simple cases of classically trivial formulas: e.g.,  
 20 violations of the law of non-contradiction. By adopting a non-standard logic for the DS—e.g.,  
 21 a relevant logic which allows for  $p \wedge \neg p$  to be contingent (i.e., to have some true and some  
 22 false instantiations)—we can restrict the over-generation of unacceptability for superficial  
 23 trivialities. And we can do this without holding that skeletons are a level of syntactic  
 24 representation—for the non-classical DS can run directly on standard LFs.

- 25 (48) **Logicality + Exotic DS.** The DS interfaces with standard (Semantic Minimalist-  
 26 friendly) logical forms. However, the kind of ‘natural logic’ implemented by the DS  
 27 is closer to relevant logics (or to even more exotic systems) than to classical logics.  
 28 All expressions which are trivial relative to the exotic DS are classified as L-trivial,  
 29 and hence filtered out as strictly unacceptable.

30 What is the advantage of modeling the DS as a relevant logic (or an even weaker system)?  
 31 The proposal to run the DS on skeletons in which each content term token is replaced with a  
 32 new variable of the appropriate type basically mimics some results of such non-classical logics:  
 33 e.g., *it is raining and not raining* comes out as contingent because it is ‘seen’ by the DS as ‘it  
 34 is  $P$  and it is not  $Q$ ’. The main objection we raised in §4 against Skeletons concerns cases in  
 35 which, due to binding or some syntactic/semantic identity constraint on ellipsis, the identity  
 36 of content term tokens is explicitly encoded by the Grammar. By *directly* modeling the DS  
 37 as a relevant logic, one may avoid that objection. For on this implementation, formulas like  
 38 ‘it is  $P$  and not  $P$ ’—seen as such by the DS—come out as strictly contingent, hence are not  
 39 filtered out by the DS, even if the tokens of ‘ $P$ ’ are co-bound.

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15 Thanks to Patrick Elliot for helpful discussions on the prospects of Logicality + Phases.

1 Unfortunately, Logicality + Exotic DS faces a dilemma. To fully solve the over-generation  
 2 problem, not only superficial contradictions, but even tautologies like *if it is raining, then it*  
 3 *is raining* would have to come out as contingent. Yet ‘if  $P$  then  $P$ ’ and various other basic  
 4 examples of superficial tautologies are valid in relevant logics; hence would come out as L-trivial  
 5 if the DS is modeled as a relevant logic which runs on standard LFs. The problem, of course,  
 6 is that in general such superficial tautologies are as acceptable as superficial contradictions.  
 7 This suggests that to fully deal with the over-generation problem, this direct approach would  
 8 have to adopt an extremely weak logic for the DS.<sup>16</sup> The problem with adopting an extremely  
 9 weak logic for the DS, however, is that many of the triviality-based accounts which make  
 10 Logicality such a powerful hypothesis depend on the validity of various classical formulas and  
 11 inference rules, such as the LNC, MP and MT.

12 To illustrate this, consider a simplified version of Chierchia’s (2013) triviality-based account  
 13 of the distribution of negative polarity items (NPIs), focusing on the case of *any*. The basic  
 14 contrast, presented in (3), is repeated below in (50) and (51). Chierchia argues that *any* is an  
 15 indefinite with existential force which, unlike its plain counterpart *a/an*, triggers obligatory  
 16 exhaustification of domain alternatives,  $O_{DA}$ , defined as in (49):

$$\begin{array}{l}
 \text{negate d-alternatives not entailed by } \phi \\
 (49) \quad \text{a. } \llbracket O_{DA}(\phi) \rrbracket^{g,w} = \llbracket \phi \rrbracket^{g,w} \wedge \forall p \in \llbracket \phi \rrbracket^{DA} [p \rightarrow \lambda w' \llbracket \phi \rrbracket^{g,w'} \subseteq p] \\
 \text{b. } \llbracket \phi \rrbracket^{DA} = \{ \llbracket \phi \rrbracket : D' \subseteq g(D) \}
 \end{array}$$

19 In (50), *any* occurs in a downward-entailing environment. Suppose for simplicity that the  
 20 relevant domain is Mary’s house, which has just a living room and a kitchen. Since the  
 21 prejacent of  $O_{DA}$  entails each of its domain alternatives in (50b), exhaustification is in this  
 22 case vacuous, as captured in (50c). The result is obviously a contingent statement which can  
 23 be true or false depending on whether Mary has marbles in the world of evaluation.

$$\begin{array}{l}
 (50) \quad \text{Mary doesn’t have any marbles.} \\
 \text{a. } O_{DA}[\neg \text{Mary has a marble} \in D_{\text{house}}] \\
 \text{b. } DA = \{ \neg \text{Mary has a marble} \in D_{\text{house}}, \neg \text{Mary has a marble} \in D_{\text{kitchen}}, \\
 \quad \neg \text{Mary has a marble} \in D_{\text{living\_room}} \} \\
 \text{c. } \llbracket (50a) \rrbracket = \neg \text{Mary has a marble} \in D_{\text{house}}
 \end{array}$$

29 In contrast, in (51) *any* occurs in an upward-entailing environment. As a result, this account  
 30 now generates trivial truth-conditions. To see why, notice that the prejacent of  $O_{DA}$ —namely,  
 31 that Mary has a marble in the house—entails neither its alternative that Mary has a marble  
 32 in the kitchen, nor its alternative that Mary has a marble in the living room. Given the  
 33 definition of  $O_{DA}$  in (49), this means that each of these alternatives has to be negated, as  
 34 captured in (51c). This generates a contradiction, since by assumption the domain of Mary’s  
 35 house consists just of the subdomains of the kitchen and living room.

16 Indeed, proponents of this package would arguably be forced to hold that the DS is as weak as, say, Korner’s (1955) logic for vagueness/inexact concepts (cf. Gajewski 2009). As discussed in Williamson (1994), this system provides truth-tables for the connectives that basically treat each token of a propositional variable as independent (even in formulas like  $p \wedge p$ ), so that the resulting ‘logic’ is extremely weak. In itself, this might not be a totally unattractive position for a Semantic Minimalist who holds that, while most open-class terms aren’t context-sensitive, all or most of them are vague.

- 1 (51) \*Mary has any marbles.  
 2 a.  $O_{DA}[\text{Mary has a marble} \in D_{\text{house}}]$   
 3 b.  $DA = \{\text{Mary has a marble} \in D_{\text{house}}, \text{Mary has a marble} \in D_{\text{kitchen}},$   
 4  $\text{Mary has a marble} \in D_{\text{living\_room}}\}$   
 5 c.  $\llbracket(51a)\rrbracket = \text{Mary has a marble} \in D_{\text{house}} \wedge \neg \text{Mary has a marble} \in D_{\text{kitchen}}$   
 6  $\wedge \neg \text{Mary has a marble} \in D_{\text{living\_room}}$

7 What is crucial to note, for us, is that this account depends on the assumption that the DS  
 8 can identify and filter out violations of the LNC, such as (51c). Yet this is precisely what we  
 9 would have to reject if we assume that the DS directly implements a non-classical logic in  
 10 which the LNC is not valid. Like Chierchia’s account of NPIs, many other triviality-based  
 11 accounts in the Logicality program depend on the stipulation that the DS is a rather powerful  
 12 inferential system.

13 At this point, it is important to understand why, given Chierchia’s account of NPIs,  
 14 Logicality + Modulated LFs filters out expressions like (51) but not superficial contradictions.  
 15 Consider the modulated LF of (51) in (52a). The modulation function  $\mathcal{R}$  can apply to any  
 16 open-class term in the prejacent of  $O_{DA}$ . Once any modulations are inserted into the LF  
 17 for the prejacent, the formal alternatives are determined from the subdomains of  $D_{\text{house}}$ , as  
 18 illustrated in (52b).

- 19 (52) a.  $O_{DA}[\text{Mary has a } \mathcal{R}_{c'}(\text{marble}) \in D_{\text{house}}]$   
 20 b.  $DA = \{\text{Mary has a } \mathcal{R}_{c'}(\text{marble}) \in D': D' \subseteq D_{\text{house}}\}$

21 Suppose that *marble* is modulated to ‘expensive marble’; we would still derive a contradiction  
 22 when we exhaustify as in (52a) over the domain alternatives in (52b). The key assumption here  
 23 is that the interpretation of non-focused terms, even if they are context-sensitive characters,  
 24 remains constant across formal alternatives. This assumption is independently justified. To  
 25 see why, consider the exhaustified (scalar) reading of (53), focusing on the behavior of *tall*,  
 26 a paradigmatic context-sensitive term. Although its context-sensitive parameters can be  
 27 saturated in different ways in its local context—to capture different thresholds for counting as  
 28 ‘tall’—that interpretation has to be held constant across the formal alternatives (in this case  
 29 scalar alternatives = *SA*) used by the exhaustification operator, as captured in (53b).

- 30 (53) Some<sub>F</sub> students are tall.  
 31 a.  $O_{SA}(\text{Some}_F \text{ students are tall}_{c'})$   
 32 b.  $SA = \{\text{Some students are tall}_{c'}, \text{All students are tall}_{c'}\}$   
 33 c.  $\text{Some students are tall}_{c'} \wedge \neg \text{All students are tall}_{c'}$   
 34 d.  $\text{Some students are tall}_{c'} \wedge \neg \text{All students are tall}_{c''}$

35 This explains why (53) can have the enriched reading in (53c) but not the one in (53d), i.e.,  
 36 why (53) cannot be enriched to mean something like ‘some students are tall given threshold  
 37 A, but not all students are tall given higher threshold B’. In contrast, it is clearly possible to  
 38 switch standards when words like *tall*, *huge* and the like occur in two different local contexts  
 39 at LF, such as in (54a)-(54b):

- 40 (54) a. My students are tall for US standards, but they aren’t tall for Dutch standards.

- 1           b. The trip was amazing: we first spotted a bison, which was huge, and just after  
2           that spotted a grizzly bear, which was also huge.

3 In short, the principles which guarantee that paradigmatic context-sensitive terms like are  
4 assigned uniform interpretations across formal (scalar) alternatives in structures like (53a),  
5 but not in (54a)-(54b), also guarantee that  $\mathcal{R}$ , which is also a context-sensitive operator, must  
6 be assigned a uniform interpretation across domain alternatives in examples like (52), but not  
7 when it occurs in different sites at LF such as in typical superficial trivialities.

### 8 5.3 Anti-triviality clauses

9 The third attempt to square Semantic Minimalism with Logicality—to tackle the over-  
10 generation problem—is based on a technical trick. As pointed out by Chierchia (2013), we  
11 can eliminate, from our theory of the language system, the notion of a DS or natural logic  
12 that identifies and filters out L-triviality by introducing specific anti-triviality clauses into  
13 the semantic entries for certain functional terms. Using this technique, we can try to reduce  
14 L-triviality to presupposition failure.

15 (55) **Logicality as anti-triviality presuppositions.** The language system doesn't  
16 include a DS that identifies and filters out L-trivial expressions. Instead, many func-  
17 tional/logical terms include, as part of their meaning, anti-triviality presuppositions.  
18 The class of L-trivial expressions can be reduced to that of expressions which violate  
19 such anti-triviality clauses.

20 Schematic examples of lexical entries with anti-triviality presuppositions for (domain alternatives-  
21 based) exhaustification and exceptive-*but* are presented in (56b) and (57b). Given (56b),  
22 trivial sentences with NPIs like (56a) come out as presupposition failures; and given (57b),  
23 trivial sentences with exceptive phrases like (57a) also come out as presupposition failures.

- 24 (56) a. \*Sam has any philosophy books  
25       b.  $O_{DA}^{ps}(\phi) = \begin{cases} \# & \text{if } O_{DA}(\phi) \text{ is trivial;} \\ O_{DA}(\phi) & \text{otherwise} \end{cases}$

- 26 (57) a. \*[[Three<sub>D</sub> [athletes<sub>A</sub> [but John<sub>C</sub>]]] smoke<sub>P</sub>]  
27       b.  $BUT^{ps}(C)(A)(D)(P) = \begin{cases} \# & \text{if } BUT(C)(A)(D)(P) \text{ is trivial;} \\ BUT(C)(A)(D)(P) & \text{otherwise} \end{cases}$

28 This strategy can be generalized: i.e., we can re-write the semantic entries for certain functional  
29 terms so that what we originally classified as L-triviality-based cases of unacceptability result  
30 instead from violations of explicit anti-triviality clauses. Since the trivialities that result in  
31 unacceptability are encoded in specific lexical entries, we avoid the over-generation problem,  
32 at least in its original form. As a result, this version of Semantic Minimalism need not appeal  
33 to logical skeletons, and is thus not directly undermined by the problems raised against  
34 Logicality + Skeletons in §4.

35 This use of anti-triviality clauses in the entries for functional terms, however, faces serious  
36 challenges. According to Logicality, there is a subset of the trivial sentences, the 'L-trivial'  
37 ones, which are unacceptable. According to Logicality + Modulated LFs, we can derive the  
38 empirically correct set of L-trivial sentences—hence address the over-generation problem—

1 on the basis of independently justified assumptions about functional terms and the kind of  
 2 context-sensitivity characteristic of the content-based lexicon. This suggests a rationale for why  
 3 L-trivial sentences are unacceptable, while merely trivial ones are strictly acceptable: merely  
 4 trivial sentences can convey (useful) information, depending on the selected modulations,  
 5 whereas L-trivial ones are not even potentially useful, i.e., they are unrecoverable under all  
 6 possible modulations. Contrast that picture with the one suggested by the anti-triviality  
 7 account. Not only does it seem pointless to write a specific anti-triviality presupposition  
 8 clause into the semantic entry of each functional/logical term involved in triviality-driven  
 9 acceptability patterns; but more importantly, this account doesn't come with an independent  
 10 rationale for deciding when to include such anti-triviality clauses. As a result, we end up with  
 11 an ad hoc procedure that faces its own version of the over-generation problem.

12 For if natural languages can encode anti-triviality clauses, why don't they do so for  
 13 all functional/logical terms? For example, why don't the entries for *and* and *or* include  
 14 anti-triviality clauses that filter out trivial conjunctions and disjunctions? Obviously, these  
 15 entries would over-generate unacceptability assignments for many superficial tautologies  
 16 and contradictions, given standard logical forms without modulation operators (i.e., given  
 17 Minimalist-friendly logical forms). To illustrate, given anti-triviality conjunction,  $\text{AND}^{ps}$ ,  
 18 defined as in (58), a superficial contradiction like (59) would be incorrectly predicted to be  
 19 unacceptable, based on its standard LF in (59a). This prediction is blocked by adopting the  
 20 modulated LF in (59b), but this option is not in general available to theorists opting for a  
 21 Semantic Minimalist-friendly implementation of anti-triviality clauses.

$$22 \quad (58) \quad \text{AND}^{ps}(p)(q) = \begin{cases} \# & \text{if } p \wedge q \text{ is trivial;} \\ p \wedge q & \text{otherwise} \end{cases}$$

- 23 (59) It is raining and it is not raining
- 24     a. Standard LF: [It is P [and not it is P]]
- 25     b. Modulated LF: [It is  $\mathcal{R}_{c'}$ (P) [and not it is  $\mathcal{R}_{c''}$ (P)]]

26 In short, proponents of this view need to explain why only some functional terms encode  
 27 anti-triviality clauses. The rationale cannot be that, relative to their standard logical forms,  
 28 such clauses filter out logically trivial and hence informationally useless expressions, for this  
 29 wouldn't explain why connectives like *and* and *or* don't also incorporate anti-triviality clauses.  
 30 In addition, they would also have to specify which kinds of presupposition failures generate  
 31 judgements of strict unacceptability. According to most extant theories, the observational  
 32 signature of presupposition failures is something like 'intuitive' oddness (cf. *It is raining,*  
 33 *but John knows it isn't raining*), or uncertainty concerning truth-value assignments given  
 34 all the relevant facts and controlling for vagueness (cf. *The current King of France is bald*).  
 35 These observational signatures should be distinguished from strict unacceptability, which  
 36 is closer to the feeling of ungrammaticality. Accordingly, and as pointed out in Chierchia  
 37 (2013), proponents of Logicality as anti-triviality would have to explain why some but not all  
 38 presupposition failures give rise to judgements of strict unacceptability. The challenge can be  
 39 seen more directly in (60a)-(60c). All these expressions involve, given the anti-triviality view,  
 40 some kind of presupposition failure, but only (60a) feels strictly unacceptable:

- 41 (60)     a. \*Sue broke any cups.
- 42           b. ?I met an Italian that turned out not to be Italian.

1 c. ?Mary knows a pilot who is not a pilot.

2 The project of specifying which subset of presupposition failures gives rise to strict unaccept-  
 3 ability is as hard as that of specifying which subset of trivial sentences counts as L-trivial, i.e.,  
 4 gives rise to strict unacceptability. The problem, of course, is that the anti-triviality proposal  
 5 was presented, at this point in our dialectic, as a general solution to the latter project.

## 6 **6 Logical vs. non-logical words and the domain of modulation**

7 In §4-§5, I argued that the Contextualist-friendly package of Logicality + Modulated LFs issues  
 8 in a more satisfactory approach to the over-generation problem than various implementations  
 9 of Logicality which are compatible with Semantic Minimalism. To conclude my argument,  
 10 I want to clarify and justify a key assumption of my approach. According to Logicality +  
 11 Modulated LFs, the modulation operator  $\mathcal{R}$  is inserted as a sister of all non-logical terminal  
 12 nodes. Although there is an intuitive difference between logical terms like determiners,  
 13 connectives, and modals, and content terms like nouns, adjectives and verbs which pick out  
 14 entities, events, or functions of entities or events, this approach ultimately requires a more  
 15 systematic procedure for separating logical and non-logical terms. Indeed, this also applies to  
 16 other implementations of Logicality: e.g., logical skeletons can only be derived from standard  
 17 logical forms if there is a way of identifying their non-logical points. The goal of this section  
 18 is to explain why I am optimistic that we will be able to find a computationally tractable  
 19 procedure for separating the fixed, logical terms of natural languages from the non-logical  
 20 terms that are open to modulation. My approach builds on previous work on the identification  
 21 of logical constants, esp., on related observations by Chierchia (2019).

22 Most of the lexical terms of natural languages that are commonly classified as paradigmatic-  
 23 ally logical share a cluster of syntactic and semantic properties (von Stechow 1995, Gajewski  
 24 2009, MacFarlane 2017, Chierchia 2019). Syntactically, logical terms tend to fall on the func-  
 25 tional, closed-class side of the lexicon, while content terms—i.e., referential or world-directed  
 26 terms—fall on the open-class side of the lexicon. In current generative approaches, functional  
 27 terms appear on the edges of noun and verb phrases, forming the ‘extended projections’ of the  
 28 latter, content-based phrases. Semantically, paradigmatic logical terms share two features that  
 29 are important for our purposes. First, they pass a range of invariance tests. There are various  
 30 kinds of invariance tests, some more strict than others (see e.g., van Benthem 1989, McGee  
 31 1996, Sher 2003, Sagi 2014, MacFarlane 2017). For the purposes of implementing Logicality,  
 32 we should use relatively inclusive invariance tests, such as tests that involve permutations of  
 33 the domain of individuals and events which respect to structural differences across domains  
 34 such as the mass/count and the event/state distinctions. Second, paradigmatic logical terms  
 35 tend to be assigned high types. The sorts of terms that pass such inclusive permutation  
 36 invariance tests and are assigned high types includes determiners (*every, none, most*), connec-  
 37 tives/coordinators (*and, or*), modals (*must, might*), exceptives (*but, except*) and exhaustifiers  
 38 (*even, only, O*)—i.e., all the terms that we have thus far treated as part of the fixed natural  
 39 logic used by the language system (see Gajewski 2009, Sagi 2014, MacFarlane 2017, Chierchia  
 40 2019). In contrast, content terms—incl., individual and predicate variables—typically fail  
 41 such permutation invariance tests, and are usually assign a ‘low’ semantic type, corresponding  
 42 to their role of standing for individuals, events, or predicates of individuals or events.

1        There is a significant overlap between the functional, closed-class, permutation invariant,  
 2 and high-typed terms, on the one hand, and the content, open-class, non-permutation invariant,  
 3 and low-typed terms, on the other. Still, there are important mismatches predicted by the  
 4 different criteria within each of these clusters. How we propose to resolve these mismatches  
 5 matters to the (empirical) project of picking out the appropriate set of L-trivial expressions.  
 6 Consider two examples. First, predicates like *exists* come out as logical when classified  
 7 using certain permutation invariance tests (Gajewski 2009, MacFarlane 2017), but as non-  
 8 logical when classified using its type, namely, that of a one-place predicate akin to *made of*  
 9 *plastic*. If we hold that any terms which pass such permutation invariance tests are treated  
 10 as logical constants by the language system, hence not in the domain of  $\mathcal{R}$  (i.e., not subject  
 11 to modulation), then sentences like *Pete exists* would come out as L-trivial and incorrectly  
 12 predicted to feel strictly unacceptable. Second, pronouns—including reflexives—are arguably  
 13 part of the functional, closed-class vocabulary, and yet are not permutation invariant and  
 14 their semantic type is, on most accounts, simply that of (variables of) entities (or individual  
 15 level concepts), or of pluralities of entities. If we hold that any terms which are part of the  
 16 closed-class vocabulary are treated as logical constants by the language system, they would  
 17 not be in the domain of  $\mathcal{R}$ . As a result, superficial trivialities with reflexives such as *John is*  
 18 *not himself today* would come out as L-trivial and incorrectly predicted to be unacceptable.

19        When considering such mismatches across different criteria for separating the logical from  
 20 the non-logical terms, it is important to appreciate that, given the project of implementing  
 21 Logicality, our goal is not to select a procedure that picks out the ‘true’ logical constants.  
 22 Our goal is the empirical and pragmatic one of selecting a procedure that, when combined  
 23 with our implementation of Logicality, results in an overall theory that determines the correct  
 24 set of L-trivial expressions, i.e., that assigns triviality just to those expressions that, while  
 25 syntactically well-formed, are judged by competent speakers to feel strictly unacceptable. At  
 26 the same time, it is not appropriate, given that goal, to simply point out that we should use  
 27 these criteria as reliable diagnostics—and not as necessary/sufficient conditions—for picking  
 28 out the language system relative logical terms. For any term (or class of terms) that is  
 29 cross-classified by the criteria within a cluster (e.g., a term that is classified as logical based on  
 30 an invariance test but as non-logical based on its low semantic type), we still have to decide  
 31 whether it is in the domain of modulation. And this choice will partly determine whether we  
 32 derive the correct acceptability patterns for expressions containing that term.

33        Which criteria, then, should get the highest weight for picking out the language system  
 34 relative non-logical terms? I propose that the domain of the modulation operator  $\mathcal{R}$  should be  
 35 determined by the semantic types of its possible arguments. Specifically,  $\mathcal{R}$  should be treated  
 36 as a constrained polymorphic type operator, which can take as arguments any terms which  
 37 have a ‘referential’ type, relative to the target theory. Given a semantic theory in which the  
 38 basic domains (excluding the truth values) are those of entities and events,  $\mathcal{R}$  will apply to  
 39 terms and variables of type  $e$ ,  $v$ , and any terms and variables for functions of a type whose first  
 40 element is of type  $e$  or  $v$  ( $\langle e, t \rangle$ ;  $\langle e \langle e, t \rangle \rangle$ , etc.). This proposal excludes any high typed  
 41 functions from the domain of modulation—i.e., any functions whose first argument is not a  
 42 (non-truth value) basic type. It follows that determiners, connectives/coordinators, modal  
 43 auxiliaries, exceptives and exhaustifiers are not in the domain of modulation, the desired  
 44 result. In addition, this proposal deals nicely with the previous examples of cross-classified  
 45 terms. First, predicates that apply to the entire domain of entities in all models will be  
 46 treated by the language system as content terms and subject to modulation—even if, on some

1 tests, they count as permutation invariant (same holds of predicates that are empty in all  
 2 models). This result might seem problematic for certain projects in philosophical logic, but it  
 3 helps pick out the correct set of L-trivial expressions. For then sentences like *Pete exists* do  
 4 not come out as L-trivial, and are thus correctly predicted to be strictly acceptable (*exists*  
 5 can be modulated to e.g. ‘is in the subdomain of entities which corresponds to the class of  
 6 middle-sized physical objects’). Second, on this view reflexives—taken as bound (individual)  
 7 variables (i.e., of type  $\langle e \rangle$  or  $\langle s, e \rangle$ )—are also in the domain of  $\mathcal{R}$ , even if they are part  
 8 of the closed-class lexicon. As shown in §4.2, this entails that superficial trivialities with  
 9 reflexives such as *John is not himself today* do not come out as L-trivial and are correctly  
 10 predicted to be strictly acceptable.

11 To be sure, this (preliminary) proposal for specifying the domain of modulation leaves open  
 12 various important issues. For example, future work should examine acceptability patterns  
 13 involving mixed or semi-logical terms such as prepositions and propositional attitude verbs  
 14 to determine if those terms are treated by the language system as part of the fixed, logical  
 15 vocabulary or as part of the non-logical terms that are subject to modulation.<sup>17</sup> Those results  
 16 will help inform whether expressions of the corresponding semantic types in general should  
 17 be included in the domain of modulation. In addition, relative to semantic theories with a  
 18 strict correspondence between syntactic categories and semantic types, this kind of proposal is  
 19 relatively deterministic and entails that  $\mathcal{R}$  will range over nouns, pronouns, verbs, adjectives  
 20 and adverbs. Yet relative to theories that allow for substantial semantic type variation within  
 21 each syntactic category, this proposal leaves open various parameters which may be used  
 22 to explore different ways of fixing the (disputed) boundaries of the domain of  $\mathcal{R}$ . For those  
 23 interested in constructing an empirically adequate implementation of Logicality, this proposal  
 24 can in turn push assumptions—perhaps even revisionary ones—about which semantic types  
 25 to assign to specific classes of terms.

## 26 7 Conclusion

27 The project of finding an implementation of Logicality that can preserve triviality-based  
 28 accounts of the distribution of quantifiers, modals, and exhaustifiers, among other logical  
 29 or semi-logical terms and phrases, without over-generating unacceptability assignments for  
 30 ‘superficial’ trivialities opens up a novel way of framing traditional philosophical disputes about  
 31 the nature of logical form, including ongoing debates between Contextualists and Semantic  
 32 Minimalists. This paper explored various implementations of Logicality compatible with these  
 33 philosophical frameworks. I have argued that each Minimalist-friendly implementation is  
 34 descriptively inadequate as a general solution to the over-generation problem, while pairing  
 35 Logicality with a version of Contextualism results in a more promising approach. I also argued  
 36 that not just any version of Contextualism will work as part of this package: Logicality cannot  
 37 be paired with radical accounts according to which all terms—including logical terms—can

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17 For an attempt to reconcile Logicality + Modulated LFs with the view, advocated by Abrusán (2014) and Mayr (2019), that propositional attitude verbs can trigger systematic patterns of L-triviality, as illustrated in (46)-(47), see Del Pinal (2019). Briefly, I argue there that although attitude verbs are subject to modulation, the presuppositions of attitude verbs project from such modifications in the usual way. As a result, the presupposed factivity (or lack thereof) of the attitude verb is preserved across all possible modulations, and this is sufficient to maintain the triviality-based accounts proposed by Abrusán (2014) and Mayr (2019) to deal with patterns like (46)-(47).

1 be modulated. Finally, the discussion of various novel Minimalist-friendly proposals revealed  
 2 some general constraints on any defensible implementation of Logicality: (i) the natural logic  
 3 used by the language system seems to be quite powerful, and should respect most classical  
 4 rules of inference,<sup>18</sup> and (ii) triviality-induced unacceptability cannot in general be reduced to  
 5 violations of explicit and lexically encoded anti-triviality presuppositions.

6 Semantic Minimalists (and Radical Contextualists) might be tempted to resist these  
 7 results by rejecting the Logicality of language hypothesis. Although the main goal of this  
 8 paper is not to directly defend Logicality, I think that the case studies discussed here illustrate  
 9 the considerable power and elegance of triviality-based explanations of the distribution of  
 10 functional terms and phrases. It is becoming increasingly clear that rejecting Logicality is a  
 11 costly move. Any version of Semantic Minimalism or Contextualism—indeed, any hypothesis  
 12 about the nature of logical form—that depends on that move would have reduced credibility  
 13 as an empirical hypothesis about a level of representation used by the language system and  
 14 its interfaces. For this reason, I hope that even philosophers who ultimately reject the specific  
 15 claims I defend here will be convinced that it is useful to frame traditional debates between  
 16 Semantic Minimalists and Contextualists as debates that are in part about how to implement  
 17 Logicality and understand why some syntactically well-formed sentences are automatically  
 18 filtered out by the language system.

19 Logicality also interacts in interesting ways with other ongoing debates in Philosophy of  
 20 Language. First, we have seen that most viable implementations of Logicality (whether via  
 21 Skeletons or Modulated logical forms) depend on separating the functional/logical terms from  
 22 the content/non-logical terms. Although coming up with a principled distinction between  
 23 logical and non-logical terms is difficult, I have argued, following Chierchia (2019), that there  
 24 are good reasons to think that such a distinction plays a central role in the architecture of the  
 25 language system. Still, much work remains to be done to solidify that hypothesis (see §6).  
 26 Secondly, some Logicality-style accounts assume that the DS has access to information that  
 27 goes beyond strictly ‘logical’ information. For example, accounts of modified numerals (Fox &  
 28 Hackl 2007), negative islands in comparatives (Gajewski 2008b) and weak presuppositional  
 29 islands (Abrusán 2014), depend on specific structural assumptions about the domains of  
 30 numbers, degrees and manners. In other words, they require (domain-specific) stipulations  
 31 about natural language metaphysics. A philosophically satisfying implementation of Logicality  
 32 will have to grapple with these foundational issues at the interface of language, logic and  
 33 metaphysics.

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18 Yet recall that the relevant notion of entailment is close to Strawson-entailment. This is because a modulated LF is L-trivial if, *whenever defined*, it is either uniformly true/false for all possible modulations (see §3.1).

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