would reply, 'because it is so small.' Surely this is not so; if an atom were as large as a mountain it would still be 'invisible.' elpyral de arouas, our ori έστιν έλαχίστη, άλλ' ότι οὐ δύναται τμηθήναι, άπαθής ovoa kal duéroxos kevou. Even this commonplace might preclude misconception. Any body, no matter how small, is 'visible' or $al\sigma\theta\eta\tau\delta\nu$, if it possesses quality, that is, if it is composed of matter with void, that is, if it can emit είδωλα (Lucret. 1. 687-8). Any body, no matter how large, is 'invisible' or vontov, if it does not possess quality, that is, if it is composed of matter without void, that is, if it cannot emit $\epsilon t \delta \omega \lambda a$. An atom then is invisible, not because of its smallness, but because it is without quality, being aµéroxos κενοῦ and so unable to radiate είδωλα. Therefore, to say of a thing that it has become 'invisible,' our alothytov or vontov, is equivalent to saying, not that it is too small to be seen-for light can see anything that can emit $\epsilon \delta \omega \lambda a$ — but that it has ceased to exist as a 'res genita,' or a compound of matter and void.

So much being admitted, I think Epicurus' argument amounts to this :

I. Atoms, like all finite $(\dot{\omega}\rho\iota\sigma\mu\dot{\epsilon}\nu\alpha)$ bodies, whether 'visible' or 'invisible,' must have parts, that is, 'extremities' $(\dot{\alpha}\kappa\rho\dot{a}, \, 'cacumina'), e.g.$ a right side and a left, to determine their shape. Without this extension, a body is neither $al\sigma\theta\eta\tau\delta\nu$ nor $\nu\sigma\eta\tau\delta\nu$. But since the finite cannot contain the infinite, there must be a point at which the separation of these parts or 'extremities' ceases.

2. Take a visible $(al\sigma\theta\eta\tau\delta\nu)$ body. Suppose our sight strong enough to see the smallest body existing in a qualified form (*i.e.* matter *plus* void), *e.g.* a particle of gold. To be visible, this gold body must have gold $d\kappa\rho d$ determining its shape. But since this body is the smallest body existing in the sphere of the visible $(\tau \partial \ al\sigma \theta\eta\tau \delta\nu)$, its $d\kappa\rho d$, which are smaller still, cannot exist on that sphere except in $d\kappa\rho d$ of that body. Apart from it, they would be $oi\kappa \ al\sigma \theta\eta\tau d$, that is, without gold parts determining their shape. They are, therefore, as gold, *inseparable* from the body. If isolated from it, they would cease to be gold and become 'invisible' matter or atoms.

3. Next, take an invisible $(\nu \circ \eta \tau \delta \nu)$ body. Suppose our reason (our 'mental eye,' as Epicurus calls it) strong enough to conceive the smallest body existing in an *unqualified* form (*i.e.* matter *minus* void), *e.g.* the atom. To be conceivable $(\nu \circ \eta \tau \delta \nu)$, this material body must have material $\delta \kappa \rho \delta$ determining its shape. But since this body is the smallest body existing in the sphere of the conceivable $(\tau \delta \nu \circ \eta \tau \delta \nu)$, its $\delta \kappa \rho \delta$, which are smaller still, cannot exist in that sphere except as $\delta \kappa \rho \delta$ of that body. Apart from it, they would be où $\nu \circ \eta \tau \delta$, that is, *without* material *parts* determining their shape. They are, therefore, as material, *inseparable* from the body. If isolated from it, they would cease to be matter and become nothing.

The conclusion therefore is, that the atom must have parts ($\dot{\alpha}\kappa\rho\dot{\alpha}$), but these parts themselves are without parts, that is, without extension ($\dot{\alpha}\mu er\dot{\alpha}\beta a\tau a$), and therefore cannot be conceived as existing separate from the atom. Unextended themselves, they merely supply the atom with its extension. Eri re rà élàxiora κal ἀμιγῆ (= ' una,' Lucret. I. 604), πέρατα δεῖ νομίζειν τῶν μηκῶν τὸ καταμέτρημα ἐξ αὐτῶν πρώτων (' prima,' Lucret. I. 604) τοῖς μείζοσι και ἐλάττοσι παρασκευάζοντα τỹ διὰ λόγου θεωρία ἐπὶ τῶν αδράτων. 'We must consider these irreducible and simple extremities as the fundamental basis which supplies the atoms with the measure of this size for the mental contemplations of the invisible,' *i.e.* without its extremities the atom cannot be conceived as a dimension.

These considerations point to the true meaning of Lucret. I. 749 ff.—a crucial passage which has been seriously misunderstood :

cum videamus id extremum cuiusque cacumen esse quod ad sensus nostros minimum esse videtur, conicere ut possis ex hoc, quae cernere non quis extremum quod habent, minimum consistere (in illis).

The current translation is: 'though we see that that is the bounding point of anything which seems to be least to our senses, so that from this you may infer that because the things which you do not see have a bounding point, there is a host in them '; with this explanation : 'in the visible thing, however, the cacumen seems to be a minimum, in the atom it is a minimum.' But this, as Giussani observes, is to reason from a fallacy to a fact. 'Se nel fattos percipiti c'è un inganno, l'induzione fatti per l'impercettibili non ha più fondamento.' It appears, then, that esse videtur here does not mean 'seems to be' but 'is seen to be,' that is, 'is really a minimum in the sphere of the visible $(\tau \partial a l \sigma \theta \eta \tau \delta \nu)$.' 'Epicurus intende un vero minimum, ma nel campo del percettibili.' I therefore translate, taking id as predicate: 'though we see that the extremity of anything is a thing which, judged by our senses, is seen to be a minimum, so that from this you can infer that, since things you cannot see (i.e. atoms) have an extremity, there is a minimum also in them' (supplying 'et illis' with Postgate), and the argument will be : since our senses tell us that the $d\kappa\rho\partial\nu$ of a qualified or visible body is a minimum in the sphere of $\tau \partial a l \sigma \theta \eta \tau \delta v$, our reason infers that the $d\kappa\rho\partial\nu$ of an unqualified or invisible body (the atom) is a minimum in the sphere of το νοητόν. W. T. L.

EURIP. BACCH. 659.

ήμεις δέ σοι μενοῦμεν, οὐ φευξούμεθα.

ON seeing (at page 216 of the present volume of *The Classical Review*) Mr. J. U. Powell's conjecture $\sigma \hat{\varphi}$, nominative plural of $\sigma \hat{\omega}s$, instead of the 'awkward' $\sigma \omega$ of the MSS., it has occurred to me that the reading here is:

ήμεῖς δ' ἔσω μενοῦμεν, οὐ φευξούμεθα.

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